

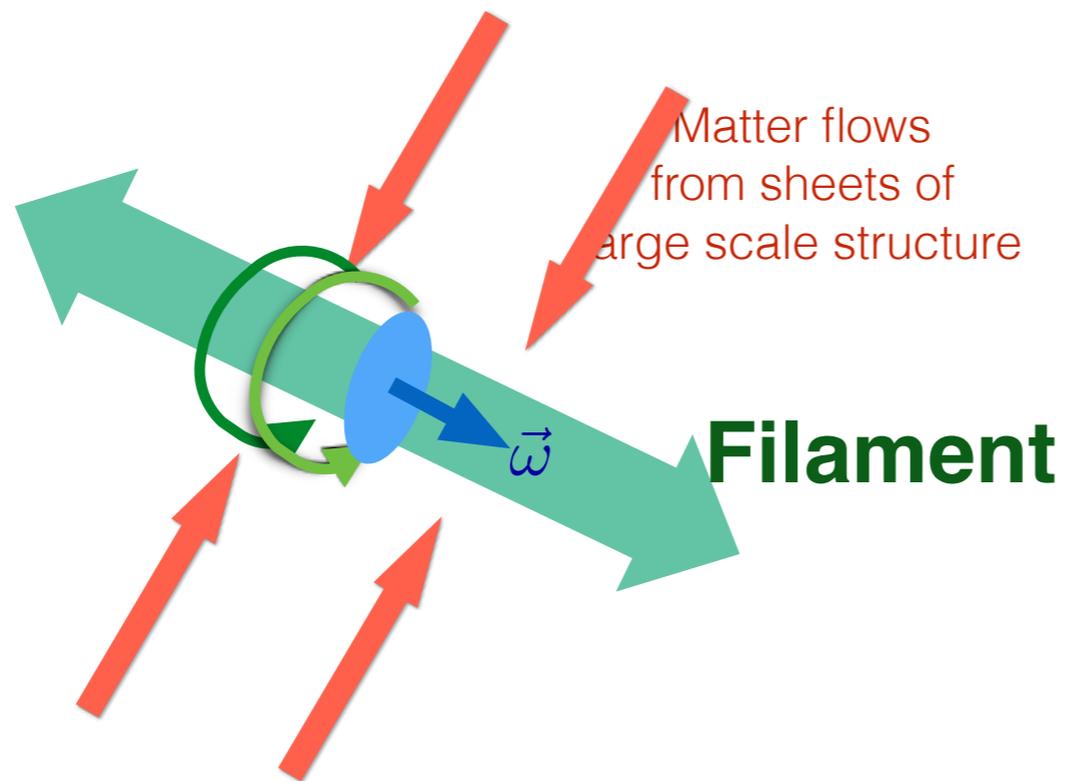
# Wobbling galaxy spin axes in dense environments

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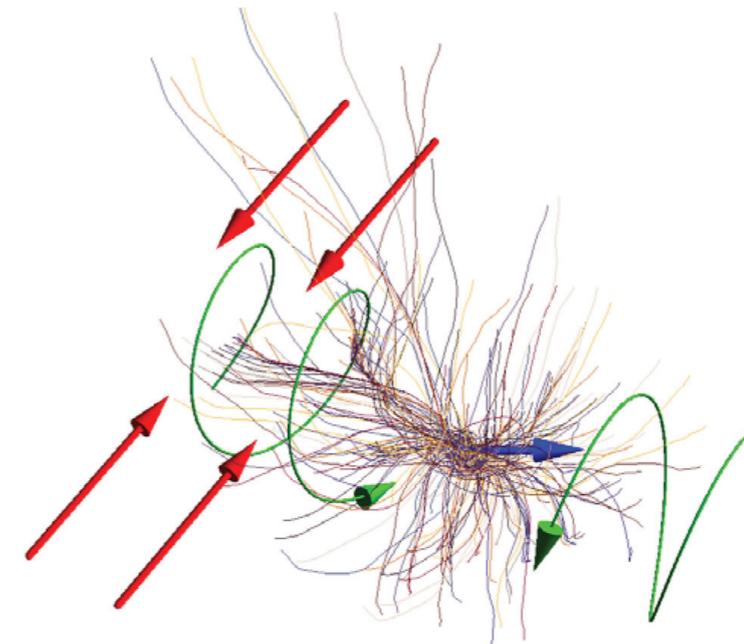
Jaehyun Lee  
KIAS

- Galaxies acquire their initial angular momenta via tidal torques
  - Tidal torque theory (Hoyle 1949, Peebles 1969)
  - In ideal circumstances, galaxies in filaments have spin axes aligned with nearby filaments

schematic figure

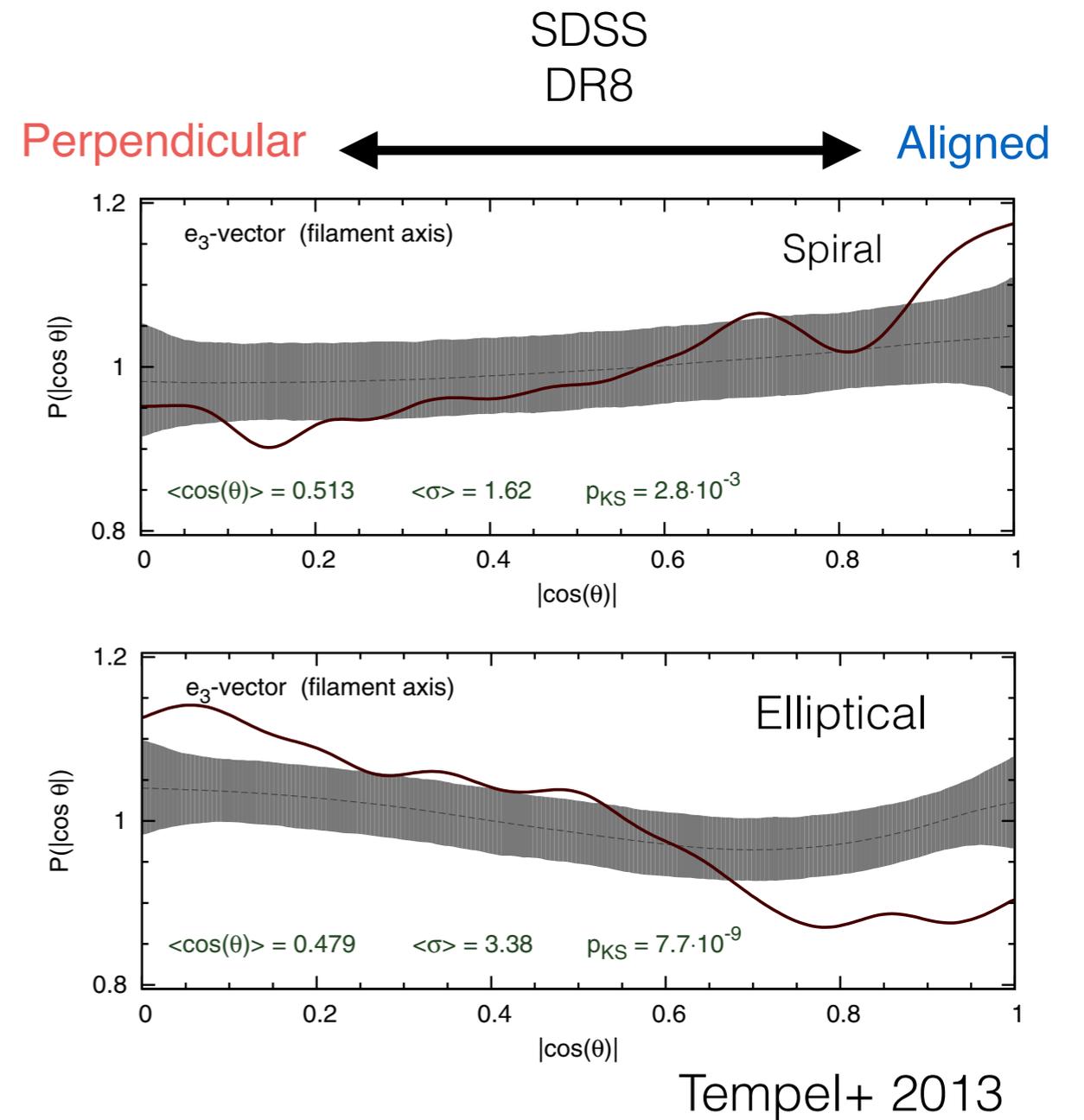
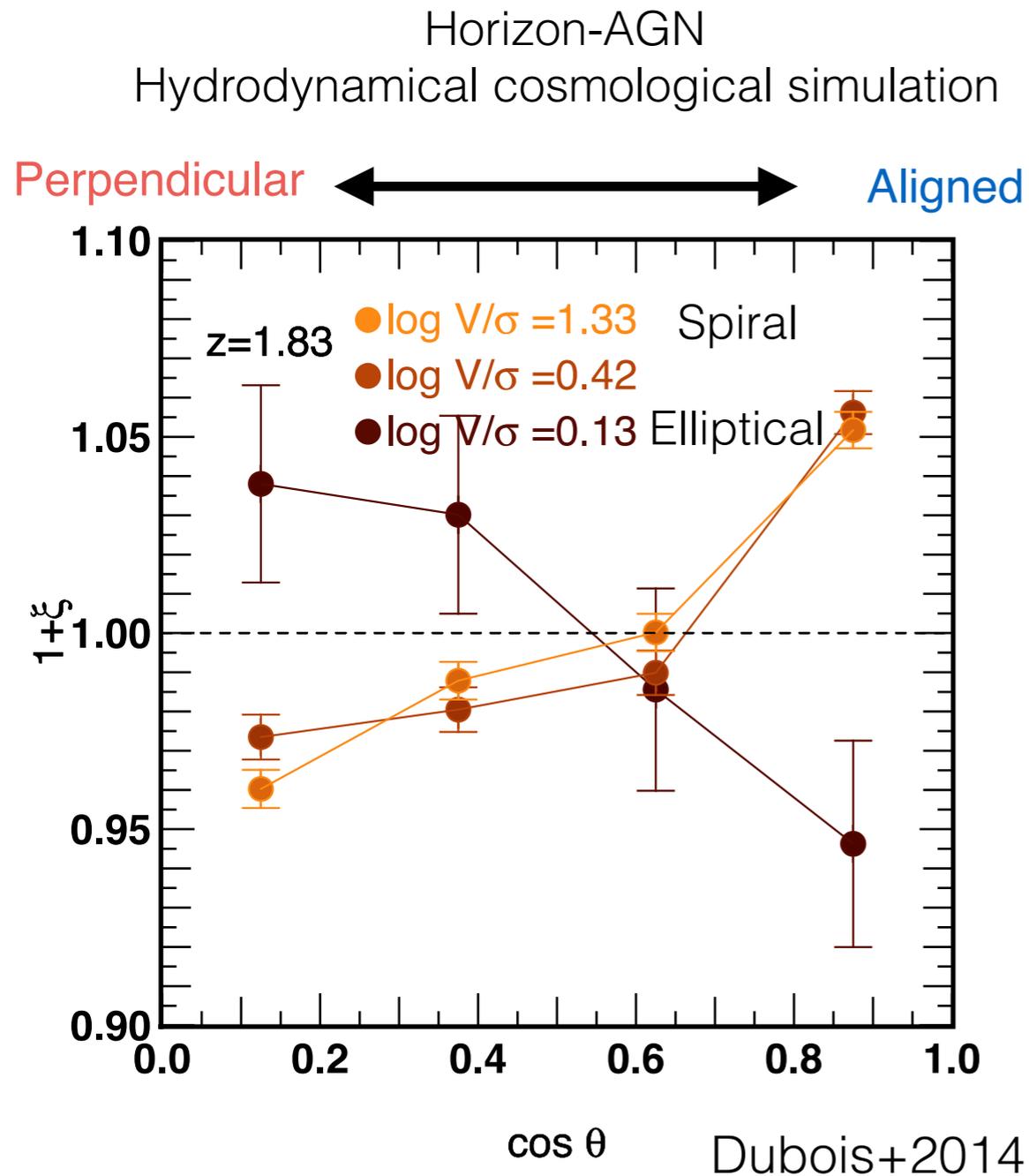


Numerical simulation



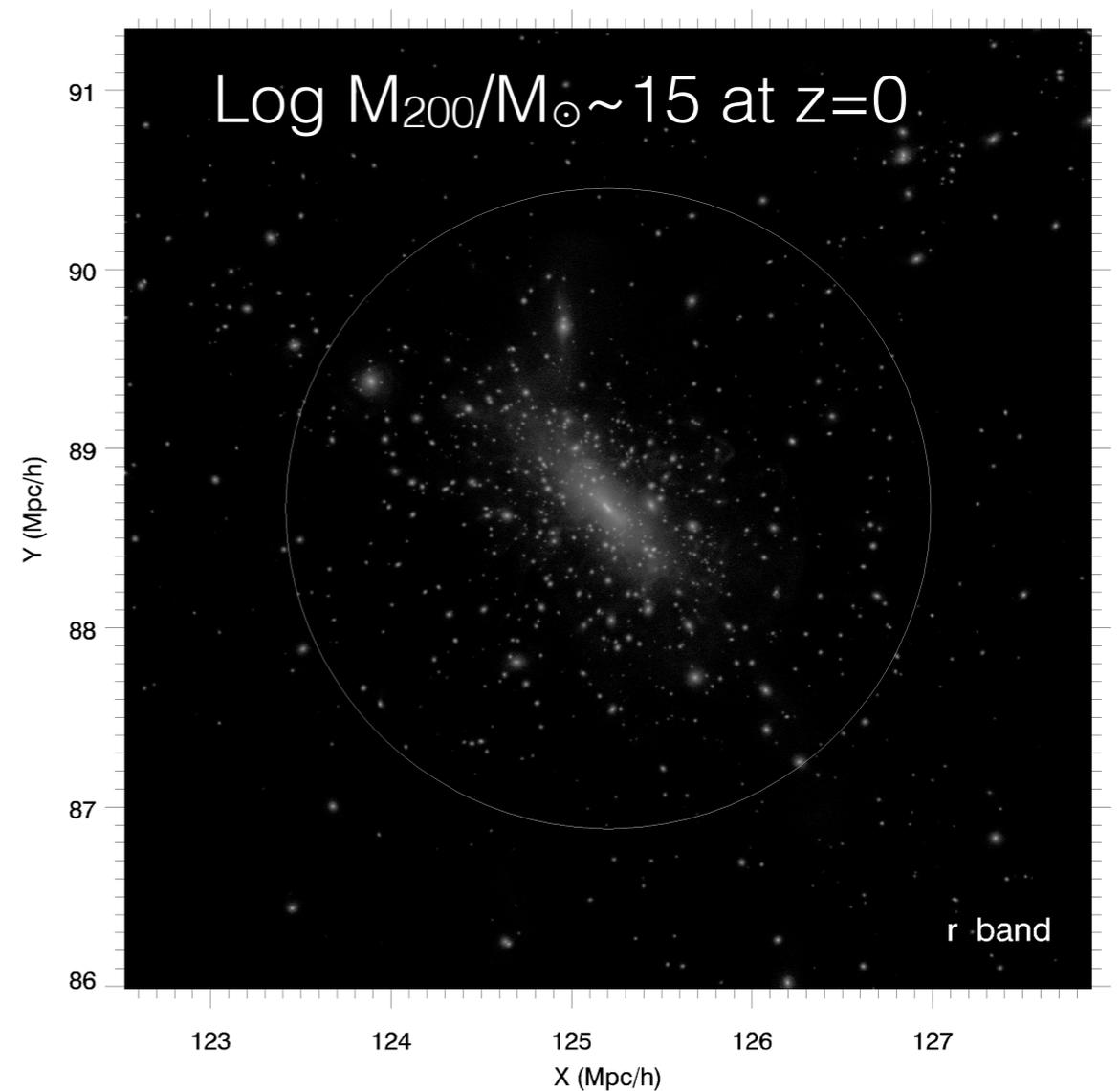
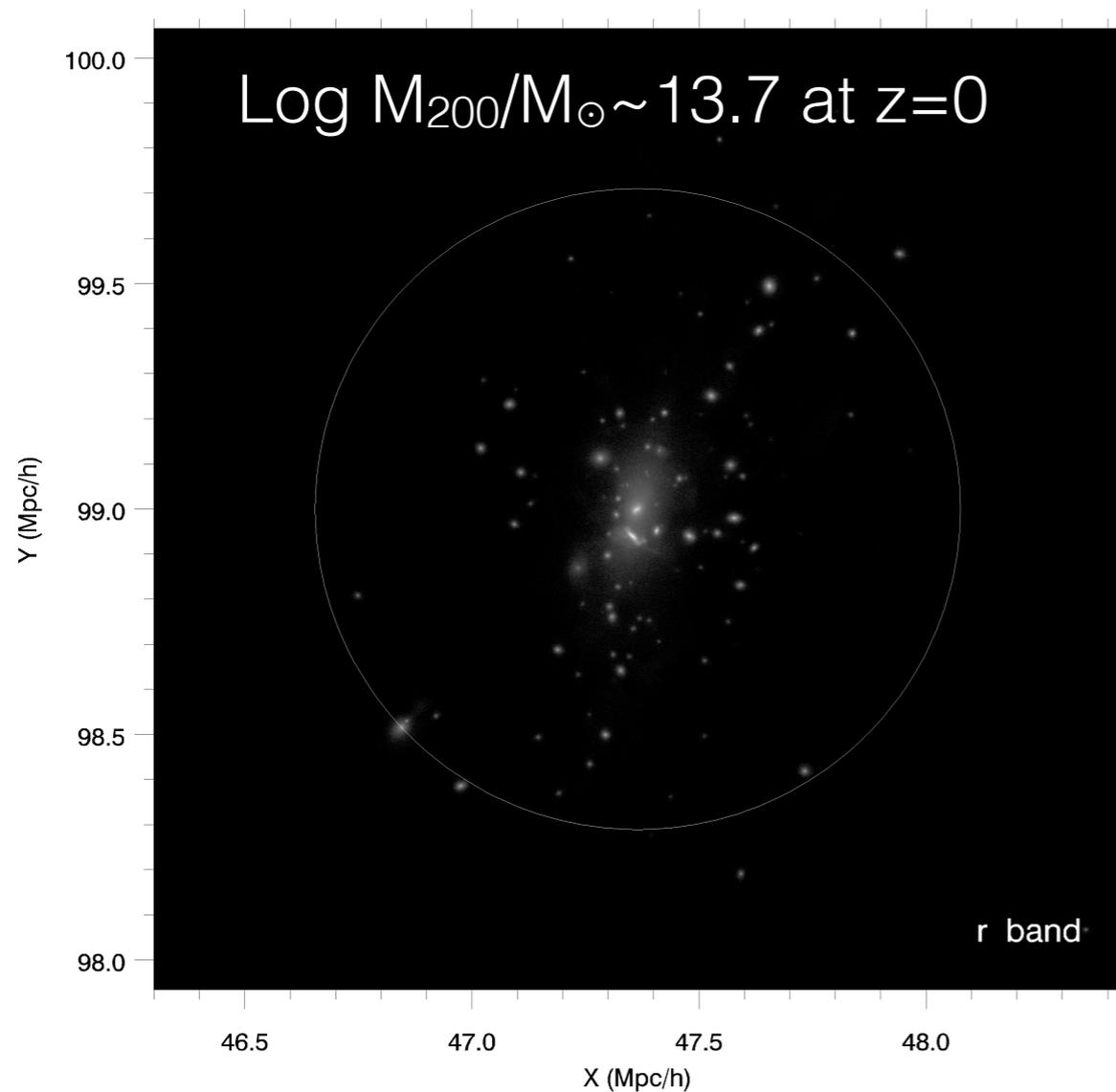
Codis+2012

- Later type galaxies are aligned more with filaments in both simulations and observations



- Simulation

- Yonsei Zoom-in Cluster Simulations (Choi & Yi 2017)
- 17 haloes in  $\log M_{200}/M_{\odot} \sim 13.5-15$  at  $z=0$
- RAMSES with AGN feedback (Teyssier 2002; Dubois+2012)
- Minimum cell size  $\sim 0.78 \text{ kpc}/h$ , Minimum stellar particle mass  $\sim 5 \times 10^5 M_{\odot}$



- Parameterizing spin orientation changes
  - Galaxies with  $\text{Log } M^*/M_\odot > 9.5$  at  $z=0$
  - Reference axes - galaxy spin vectors at infall epochs

$$\phi_{t_i}^{t_j} \equiv \frac{180}{\pi} \arccos \frac{\mathbf{L}(t_i) \cdot \mathbf{L}(t_j)}{|\mathbf{L}(t_i)| |\mathbf{L}(t_j)|}$$

**Net** angular change of  
spin orientation  
between  $z_{\text{infall}}$  and  $z=0$

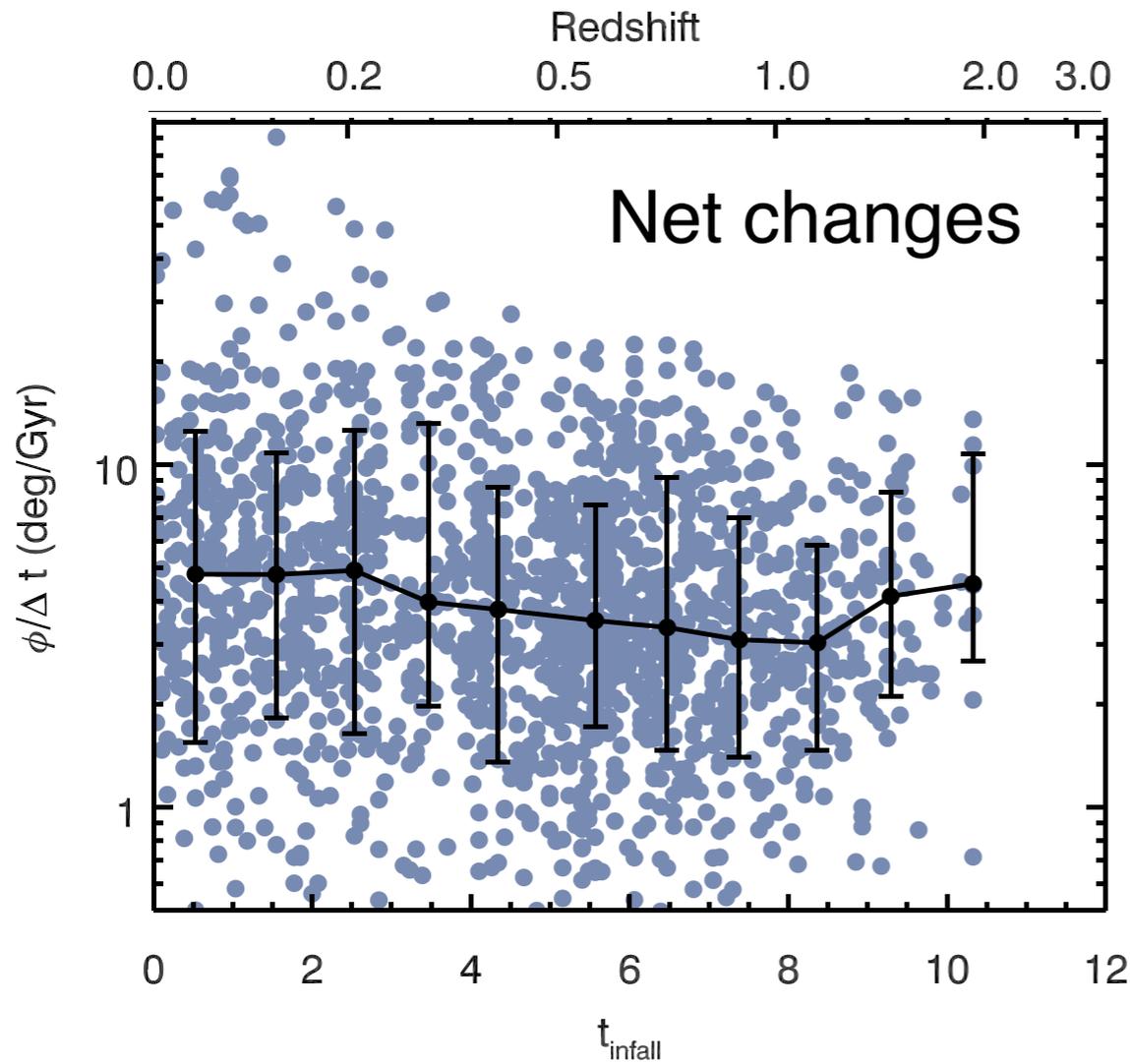
$$\phi_{z_{\text{infall}}}^{z=0}$$

**Cumulative** angular change of  
spin orientation  
during  $z=z_{\text{infall}}-0$

$$\Phi_{z_{\text{infall}}}^{z=0} = \sum_{i=n_{\text{infall}}}^{n_{\text{final}}-1} \phi_i^{i+1}$$

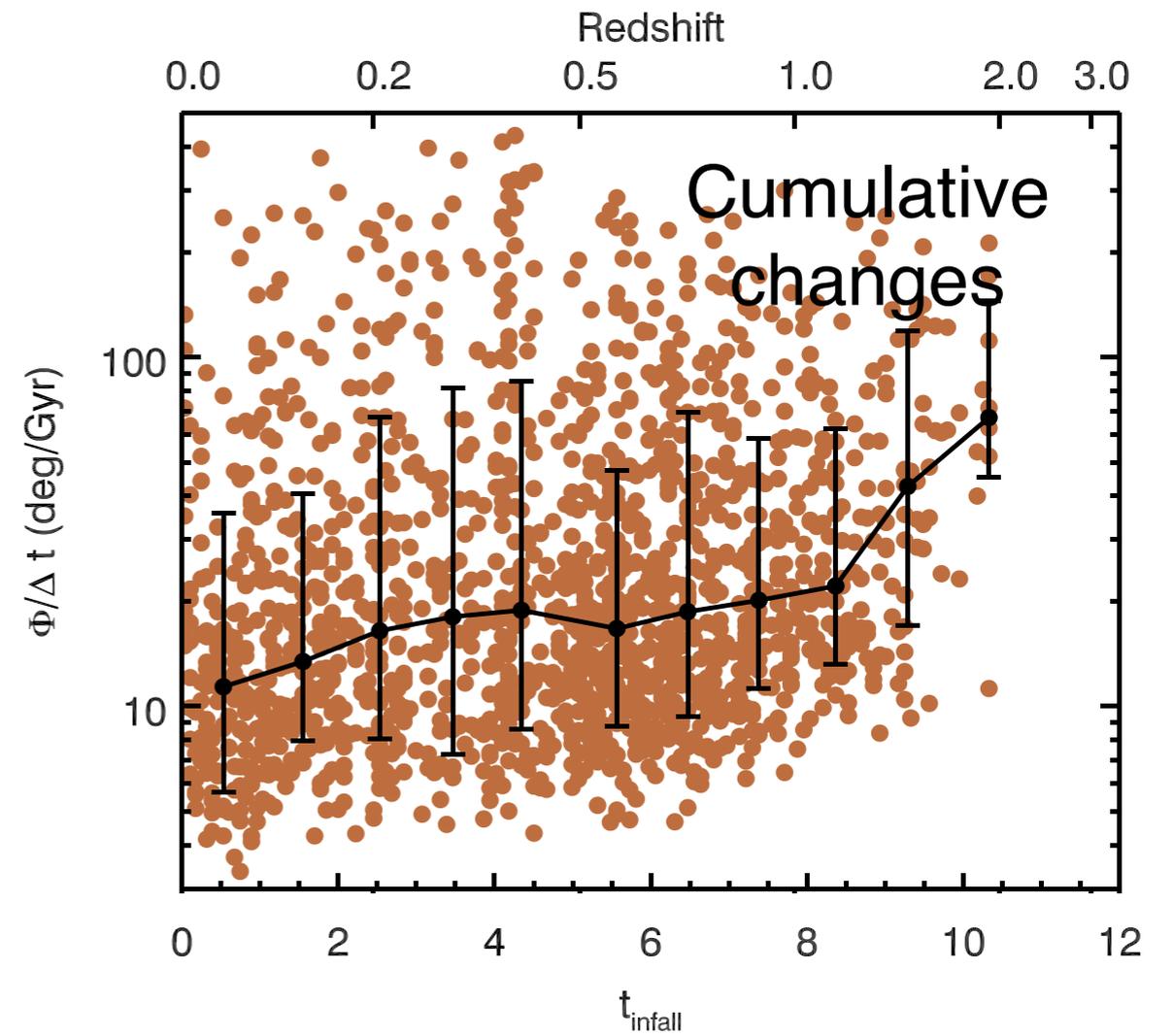
- Spin orientation change rates after infall

Median  $\phi/\Delta t \sim 4$  deg/Gyr



$$\Delta t = t_{\text{infall}} - t_{z=0}$$

Median  $\Phi/\Delta t \sim 17$  deg/Gyr



$\sim 1/3$  of  $\Phi/\Delta t$  is non-physical

- Physical mechanisms reorienting spin vectors
  - Mergers - violently swinging spin vectors, but not frequent between satellites in clusters
  - Tidal perturbation

- Parameterizing tidal perturbation

$$p \equiv \frac{M_P}{M_g} \left( \frac{R}{d} \right)^3 \propto \frac{2GmM_P R/d^3}{GmM_g/R^2} = \frac{F_{\text{tidal}}}{F_{\text{grav}}}$$

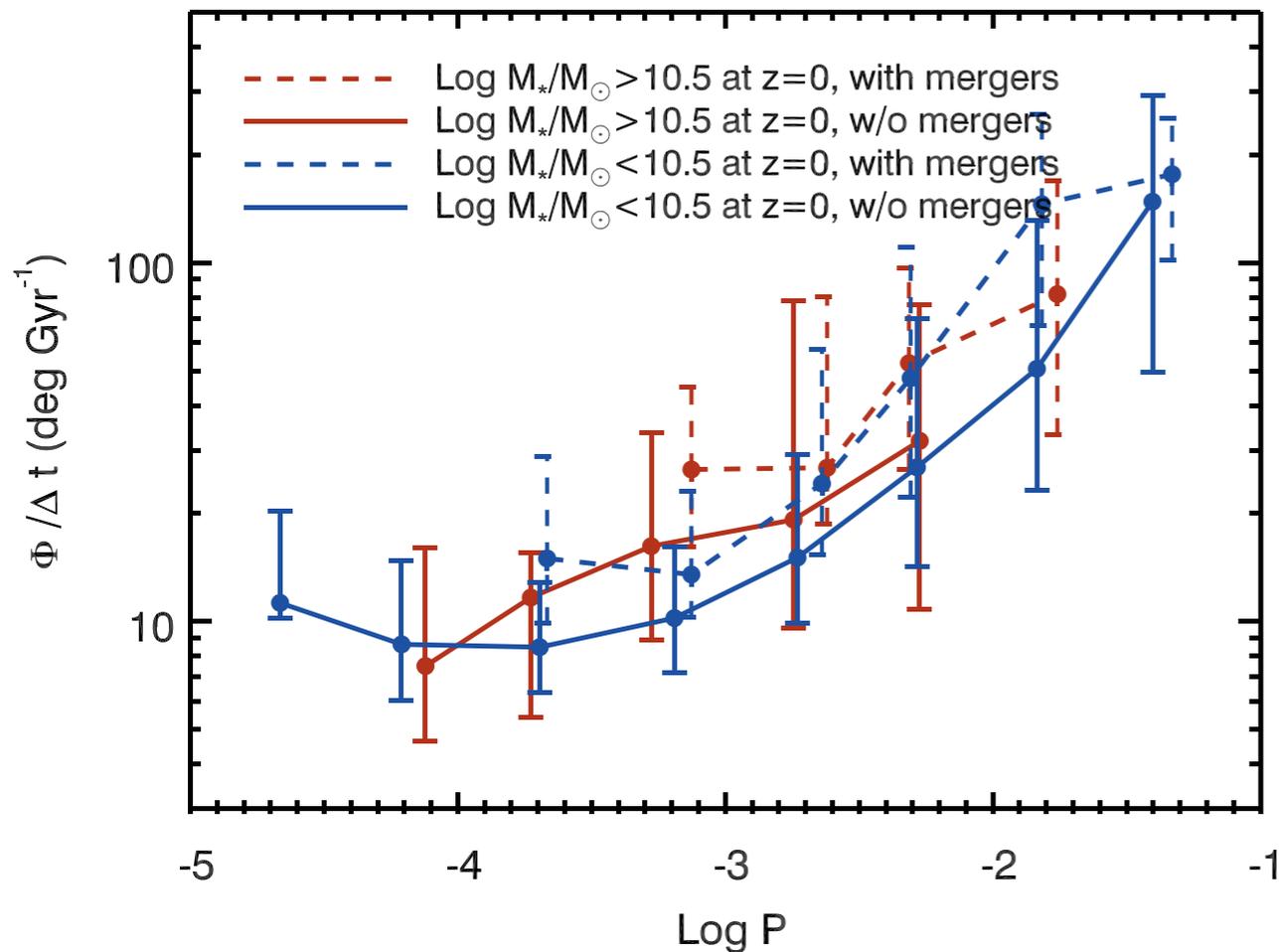
Byrd & Howard 1992

$$\begin{aligned} \log P_i(t_0, t_1) &\equiv \log \frac{1}{\Delta t} \int_{t_0}^{t_1} p_i(t) dt \\ &= \log \frac{1}{\Delta t} \int_{t_0}^{t_1} \frac{R_i^2(t)}{M_i(t)} \left| \sum_{j=1}^{j \neq i} \frac{M_j(t) R_i(t)}{d_{ij}^3(t)} \mathbf{u}_{ij}(t) \right| dt, \end{aligned}$$

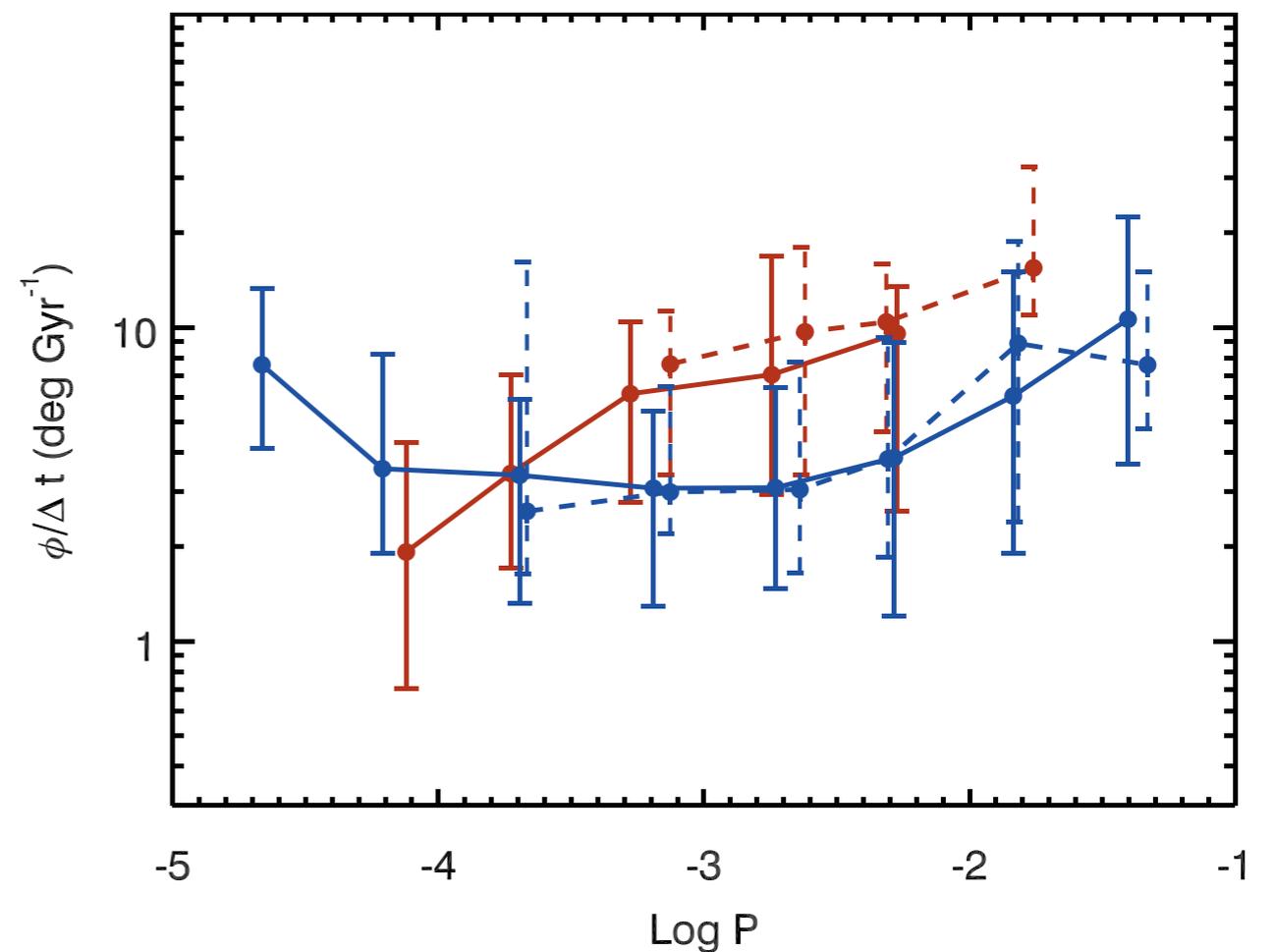
$$\Delta t = t_1 - t_0$$

- Tidal perturbation is strongly correlated with cumulative changes, but its net effect is easily canceled out.

Cumulative change rate



Net change rate



**→ Perturbed More**

**→ Perturbed More**

With-mergers  
 $M_2/M_1 > 0.1$

- Summary

- Any signatures of spin alignment from the LSS can be preserved in cluster environments for gigayears
- More rotating (higher  $V/\sigma$ ) galaxies are more likely to maintain their initial spin orientation after infall into clusters
- Tidal perturbation significantly swings spin vectors. However, its net effect is easily canceled out.