

# Constraints on **cosmology** and **baryonic feedback** by the combined analysis of **weak lensing** and **galaxy clustering** with the **Deep Lens Survey**

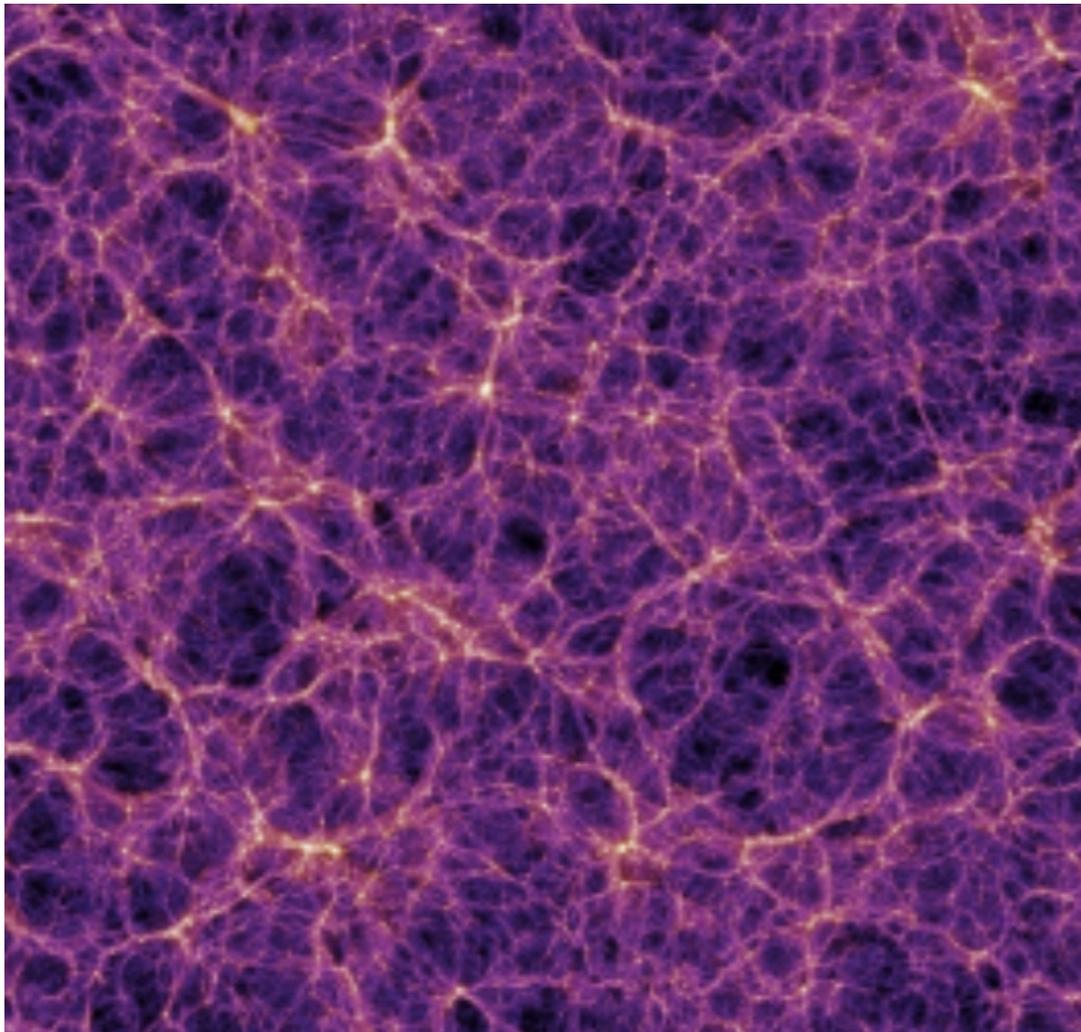
(arXiv:1807.09195, ...)

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# Power spectrum



- The primordial fluctuations developed into large-scale structure.
- Power spectrum is one of the summary statistics of large-scale structure in the universe.

# Three Power Spectra (3x2pt)

**Shear-Shear  
(Cosmic shear)**

$$C_{GG}^{ij}(\ell) = \int_0^{\chi_H} d\chi \frac{q_i(\chi)q_j(\chi)}{[f_K(\chi)]^2} P_{\delta\delta} \left( \frac{\ell + 1/2}{f_K(\chi)}, \chi \right)$$

Jee et al. (2013, 2016)

+

**Galaxy-Galaxy**

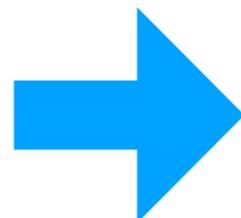
$$C_{gg}^{ii} = \int_0^{\chi_H} d\chi \frac{n(\chi)^2}{[f_K(\chi)]^2} P_{\delta\delta} \left( \frac{\ell + 1/2}{f_K(\chi)}, \chi \right) \times b(k, \chi)^2$$

+

**Galaxy-Mass  
(galaxy-galaxy  
lensing)**

$$C_{gG}^{ij} = \int_0^{\chi_H} d\chi \frac{n_i(\chi)q_j(\chi)}{[f_K(\chi)]^2} P_{\delta\delta} \left( \frac{\ell + 1/2}{f_K(\chi)}, \chi \right) \times b(k, \chi)$$

Yoon et al. (2018a)  
(arXiv:1807.09195)

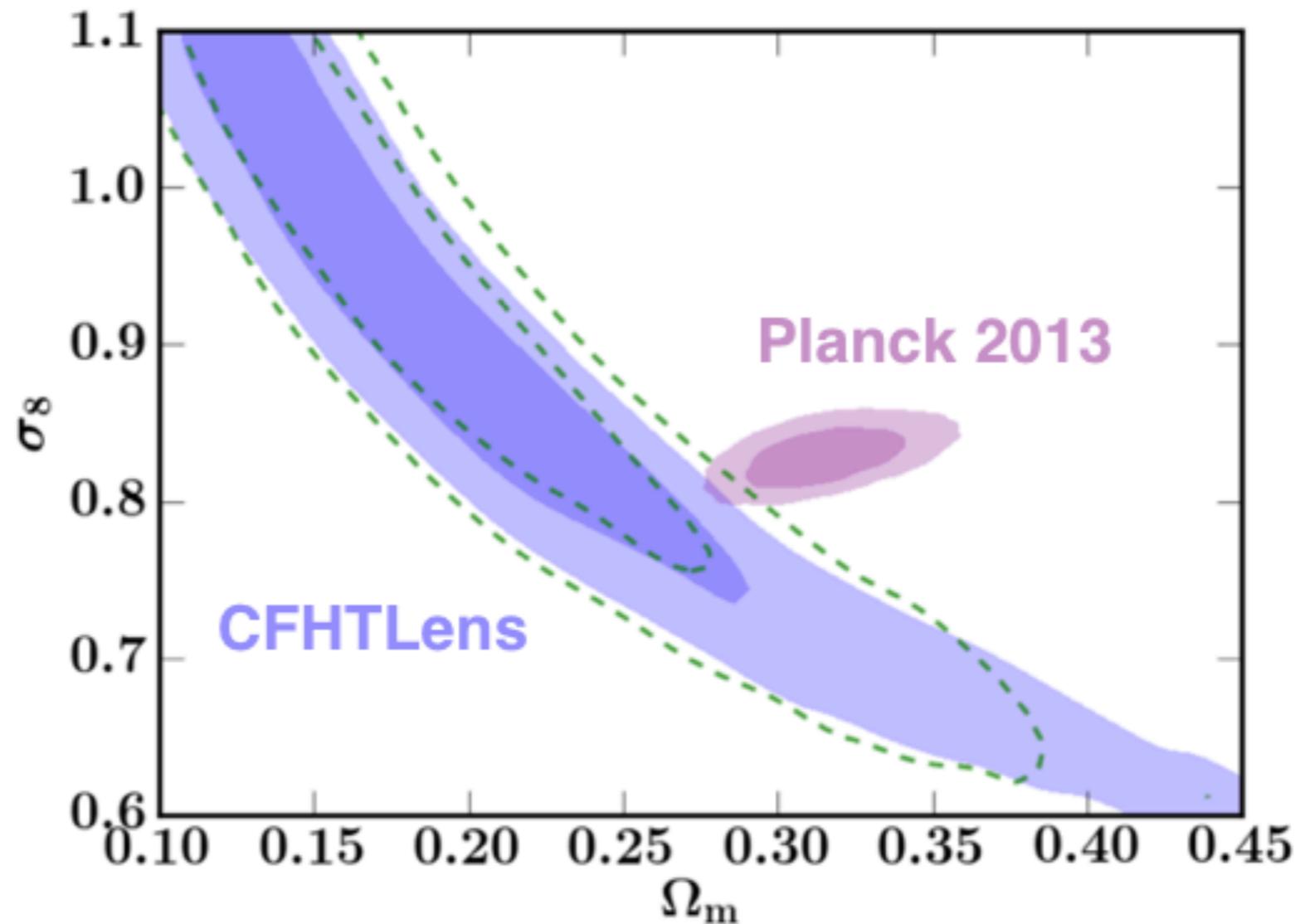


Yoon et al. (2018b)

*Preliminary*

## Introduction

# Tension between Planck and weak lensing

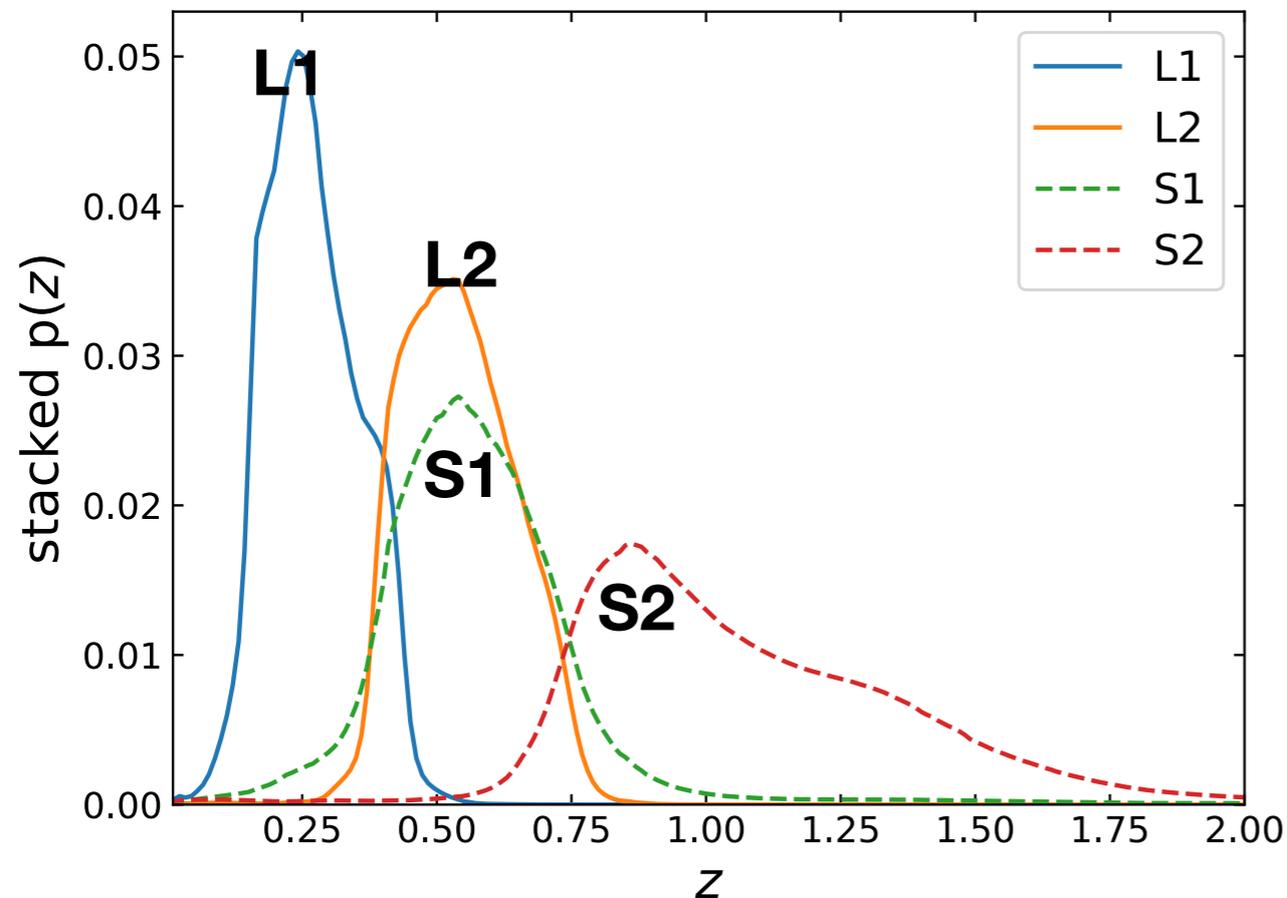


CMB (high redshift, early universe) and LSS (low redshift, late time universe) tension may require modification of cosmology model.

Data

# DLS

## Lens & source selection



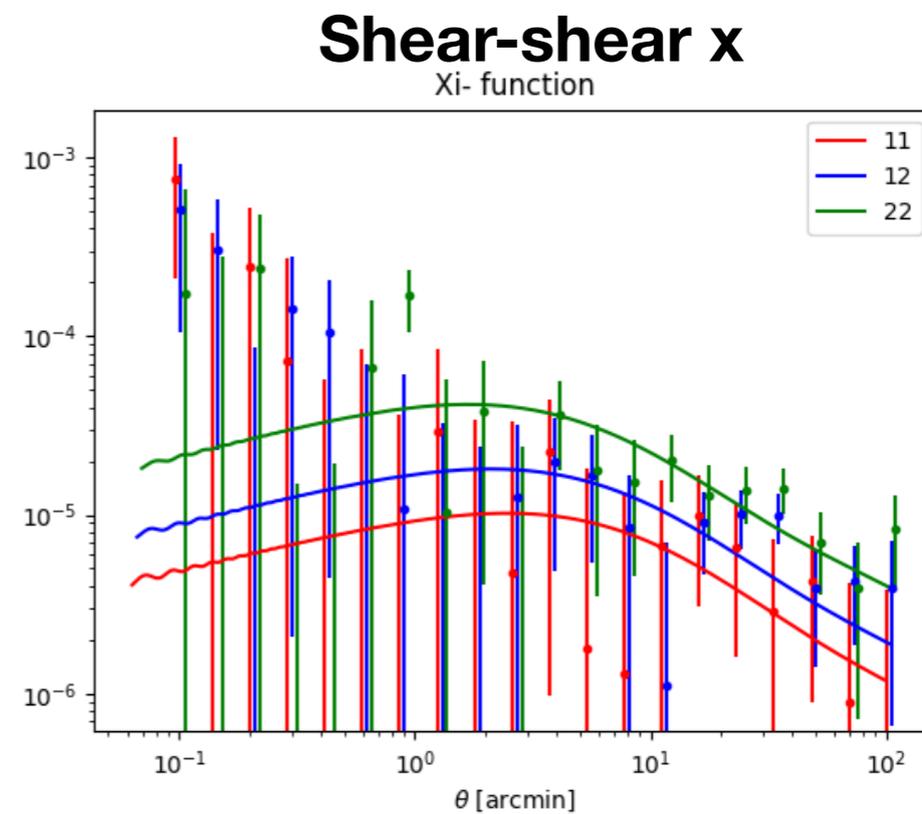
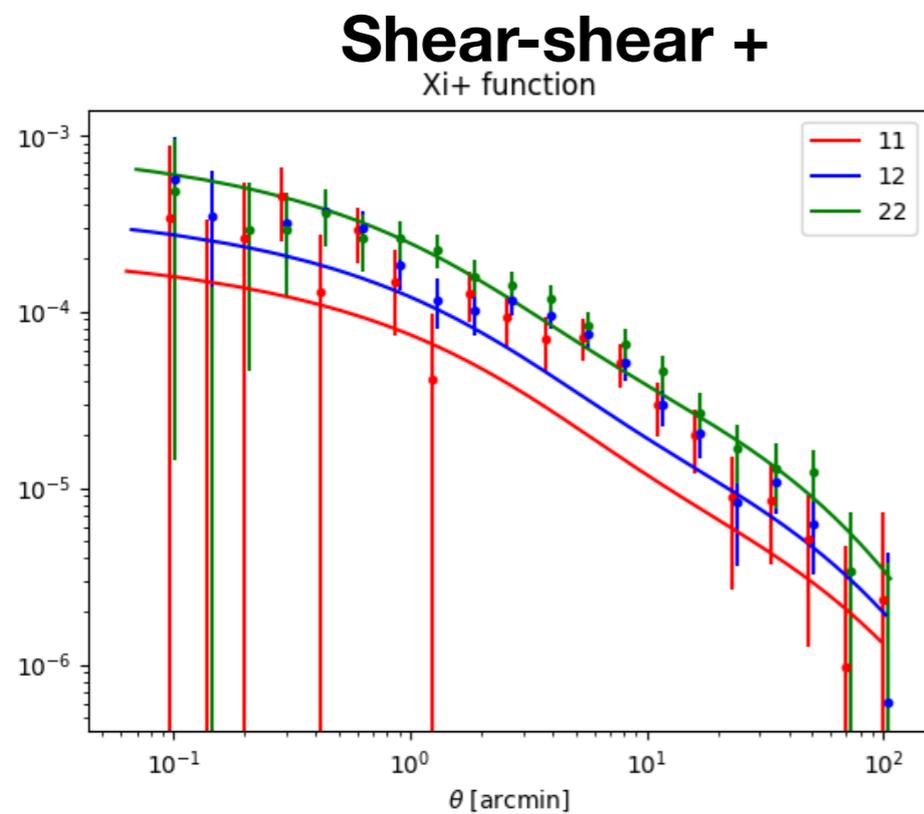
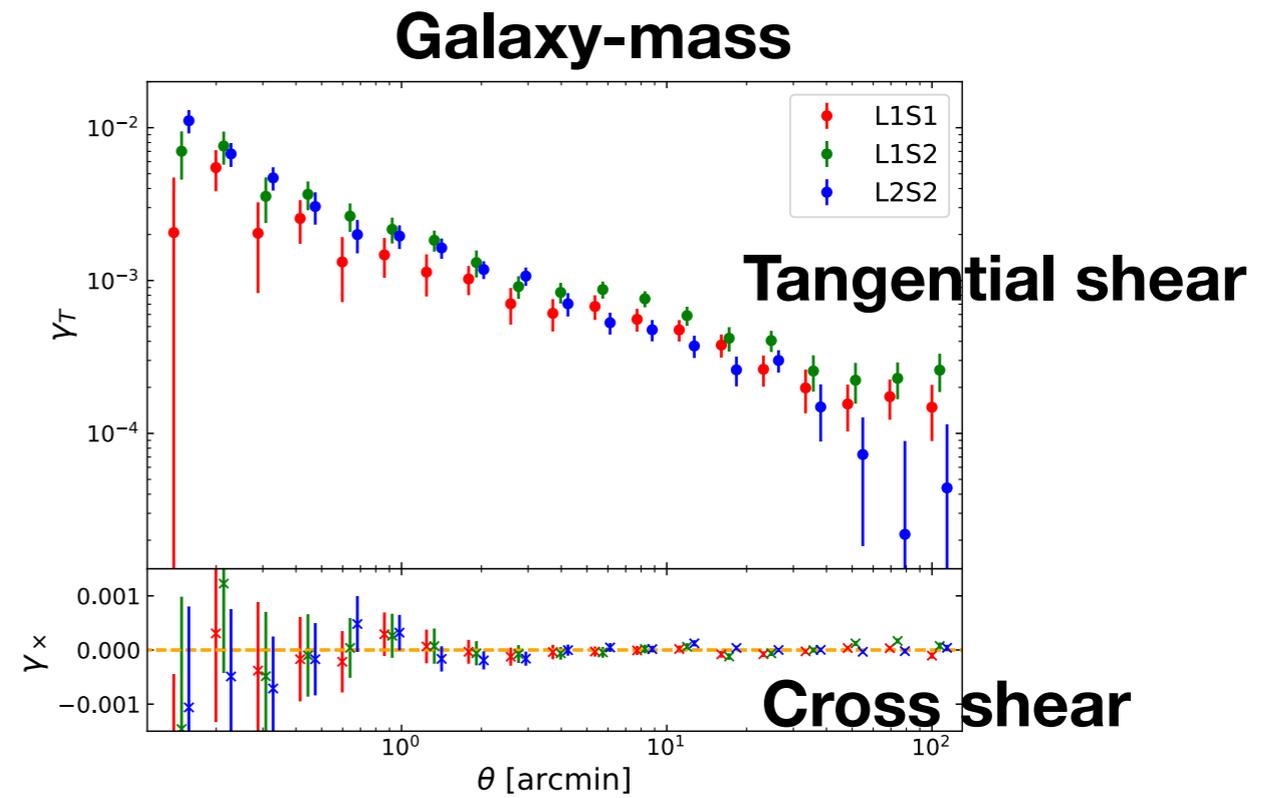
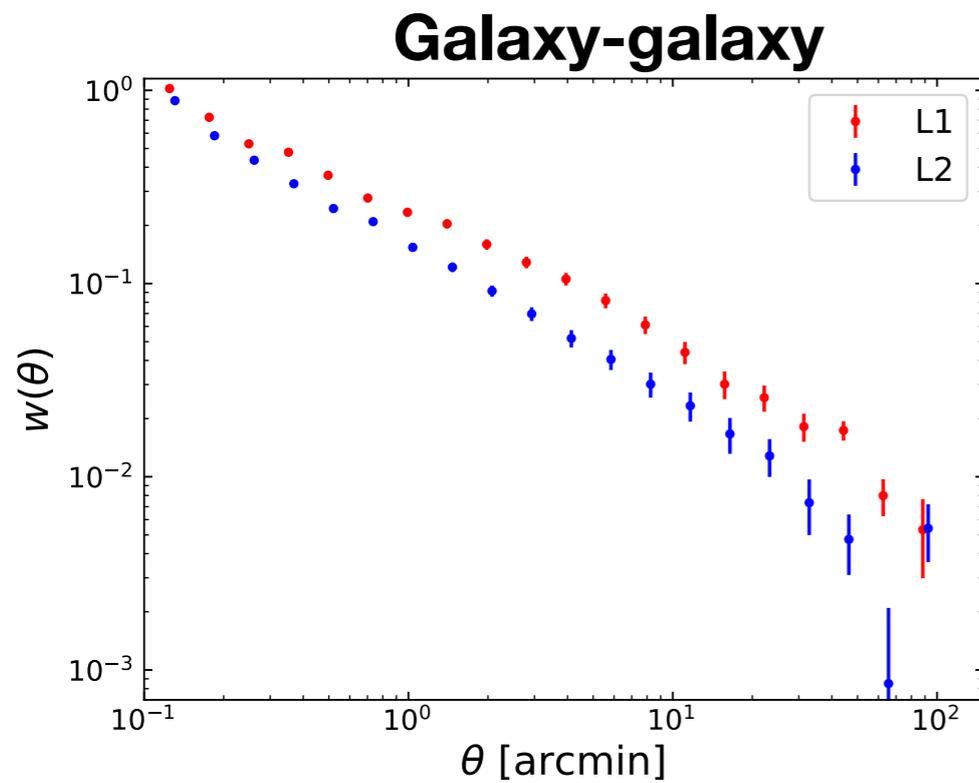
- We select lens and source bins based on their redshifts and luminosities.
- The stacked  $p(z)$  curves (the sum of  $p(z)$ s of the individual galaxy in each bin) are used to estimate the model power spectrum.
- We measure galaxy clustering from the lens bins (L1, L2).
- We measure cosmic shear signal from the source bin pairs (S1S1, S1S2, S2S2).
- We measure lensing signal from the lens-source bin pairs (L1S1, L1S2, L2S2).

|        | bins | $z_b^-$ | $z_b^+$ | $\langle z \rangle$ | $m_R^-$ | $m_R^+$ | # of gal |
|--------|------|---------|---------|---------------------|---------|---------|----------|
| Lens   | L1   | 0.15    | 0.4     | 0.270               | 18      | 21      | 57,802   |
|        | L2   | 0.4     | 0.75    | 0.542               | 18      | 22      | 98,267   |
| Source | S1   | 0.4     | 0.75    | 0.642               | 21      | 24.5    | 418,932  |
|        | S2   | 0.75    | 1.5     | 1.088               | 21      | 24.5    | 450,353  |

Conservative cut compared to DLS's mag limit, 27th.

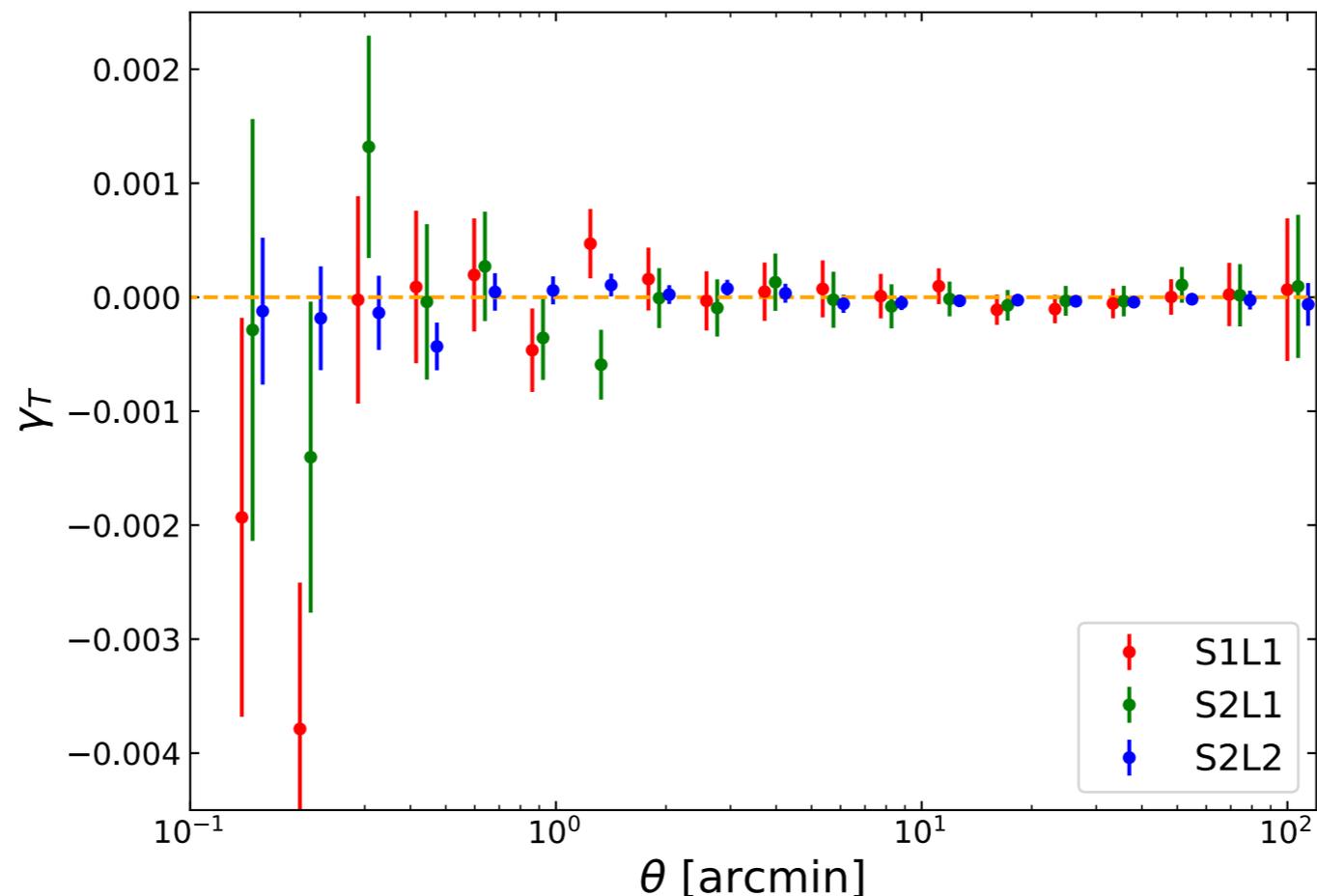
# Results

# Raw measurements



Systematic test

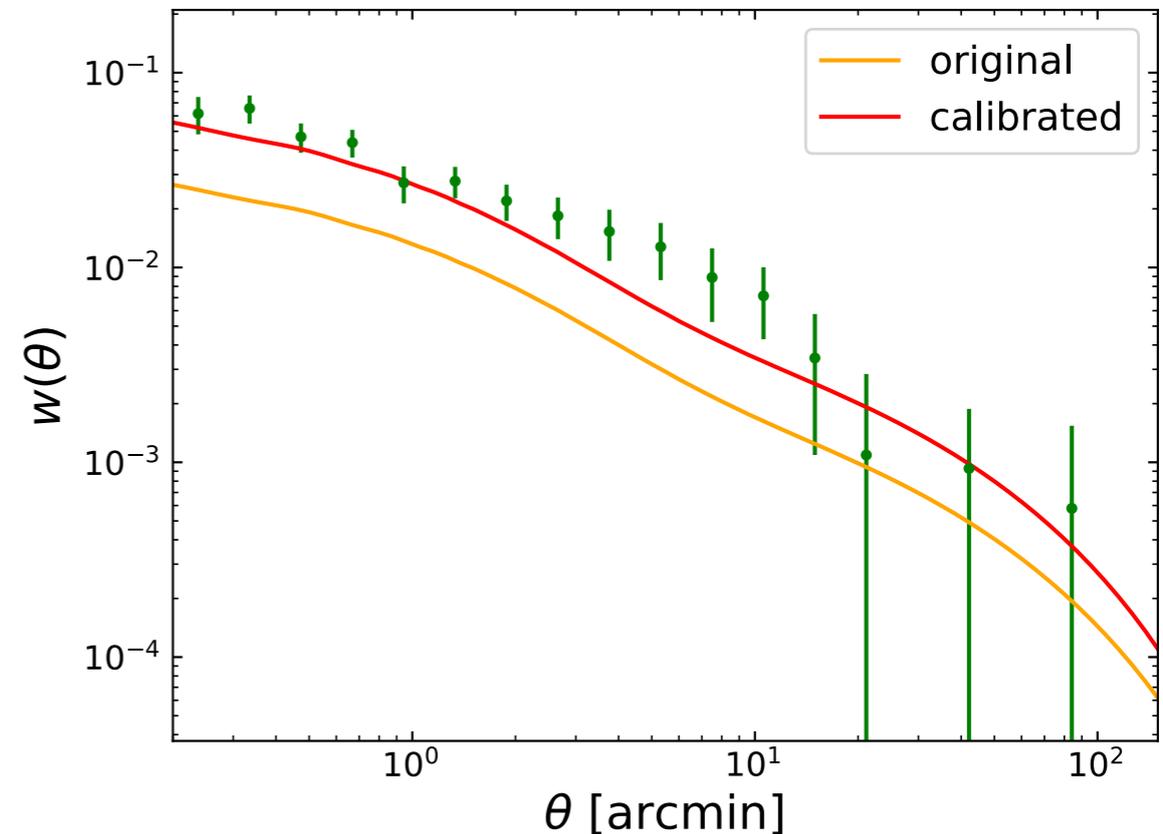
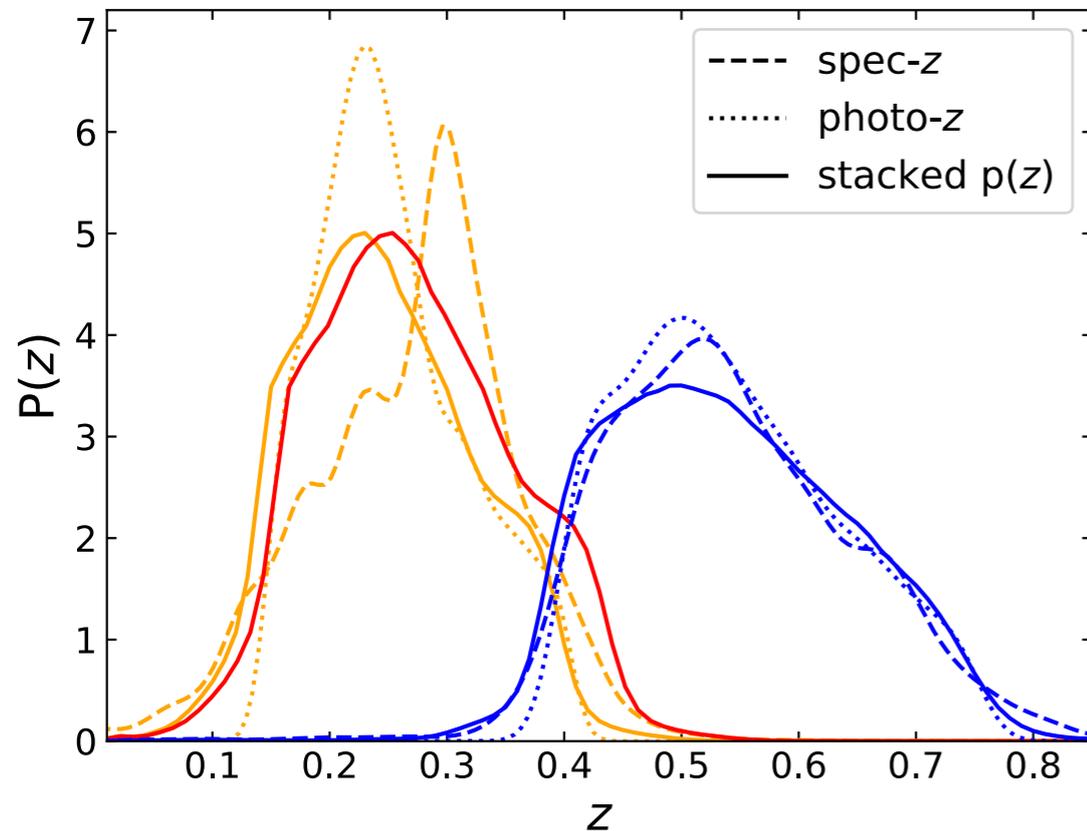
# Lens-source flip test for galaxy-galaxy lensing signals



- Lens-source flip test is used to check the residual systematics mainly in photo-z estimations.

## Systematic test

# Photo-z calibration and cross-correlation

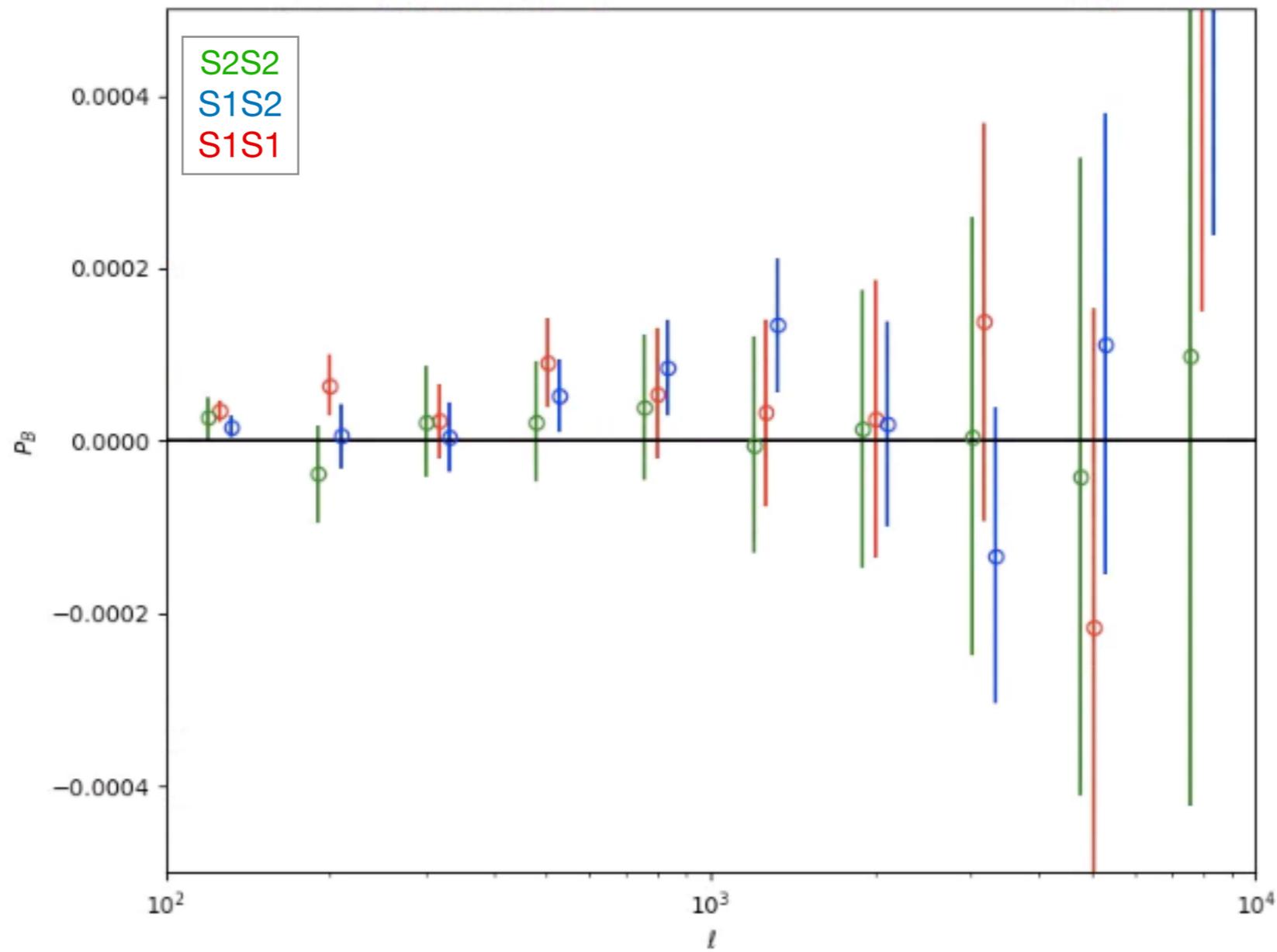


Original photo-z estimation: Schmidt & Thorman (2013)

- The stacked photo-z curves are calibrated by matching with spec-z samples (PRIMUS and SHELS).
- We found 10% photo-z shift for L1 was required, but calibration of L2 was not necessary.
- The cross-correlation measurement between L1 and L2 reconfirms the photo-z calibration was relevant to agree with the theoretical prediction.

Systematic test

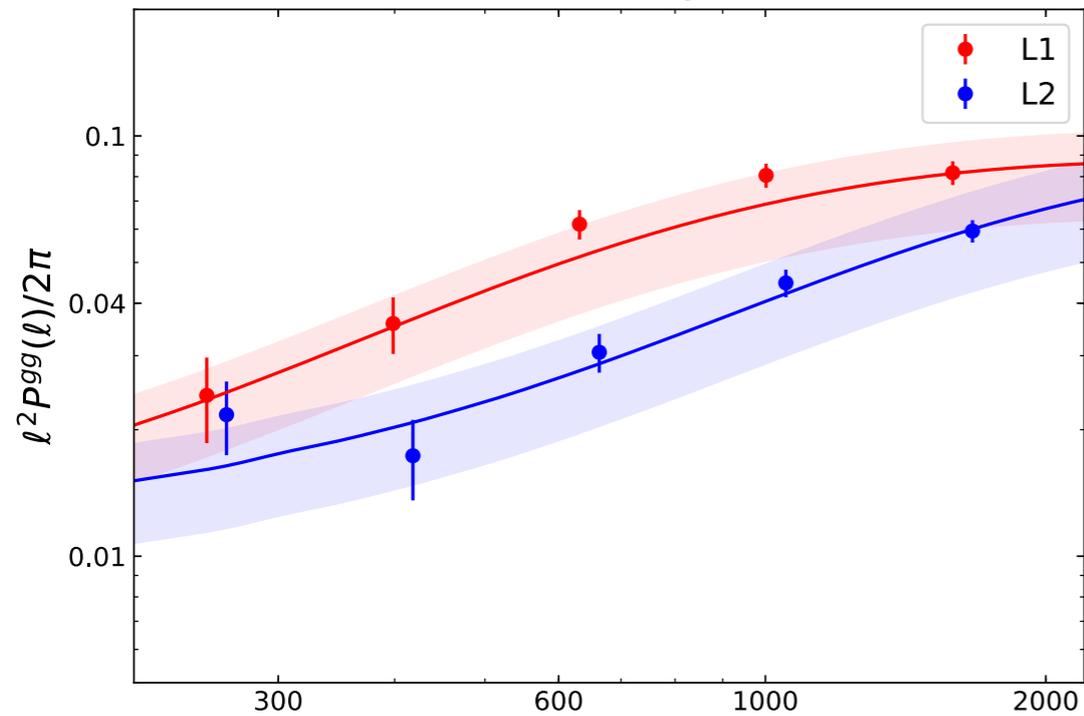
# B-mode for cosmic shear



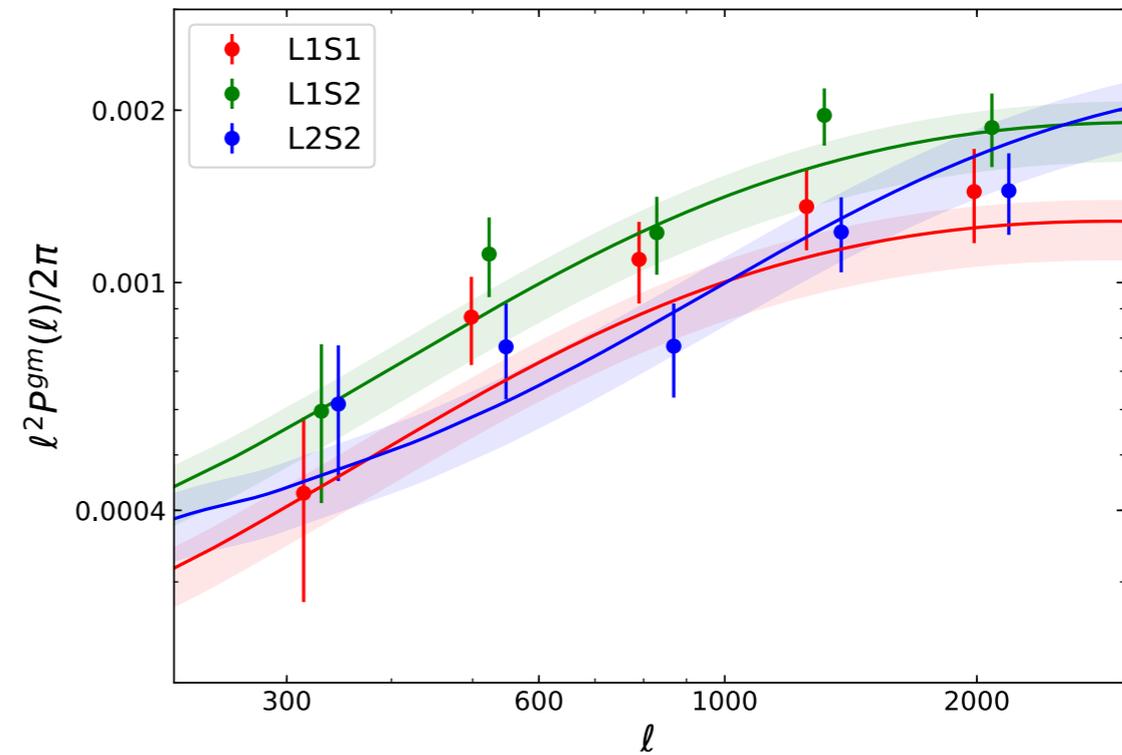
# Results

## Power spectra

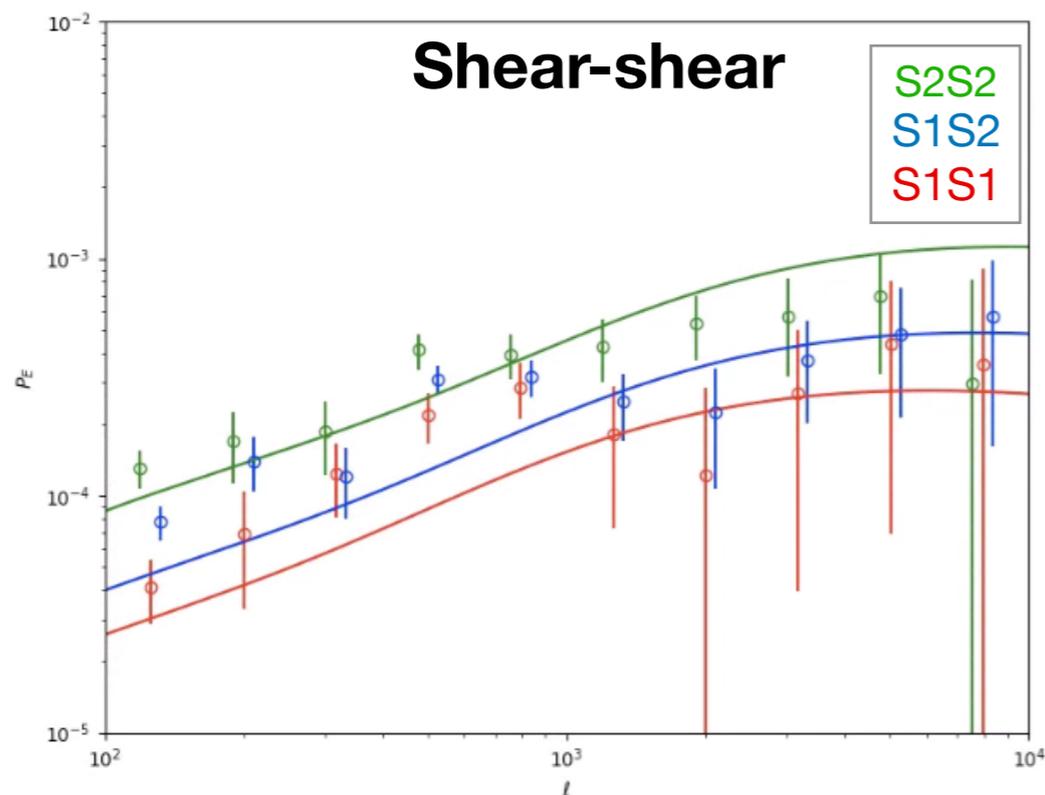
### Galaxy-galaxy



### Galaxy-mass



### Shear-shear



- Errors were estimated based on catalogs that we generated based on log-normal distribution.

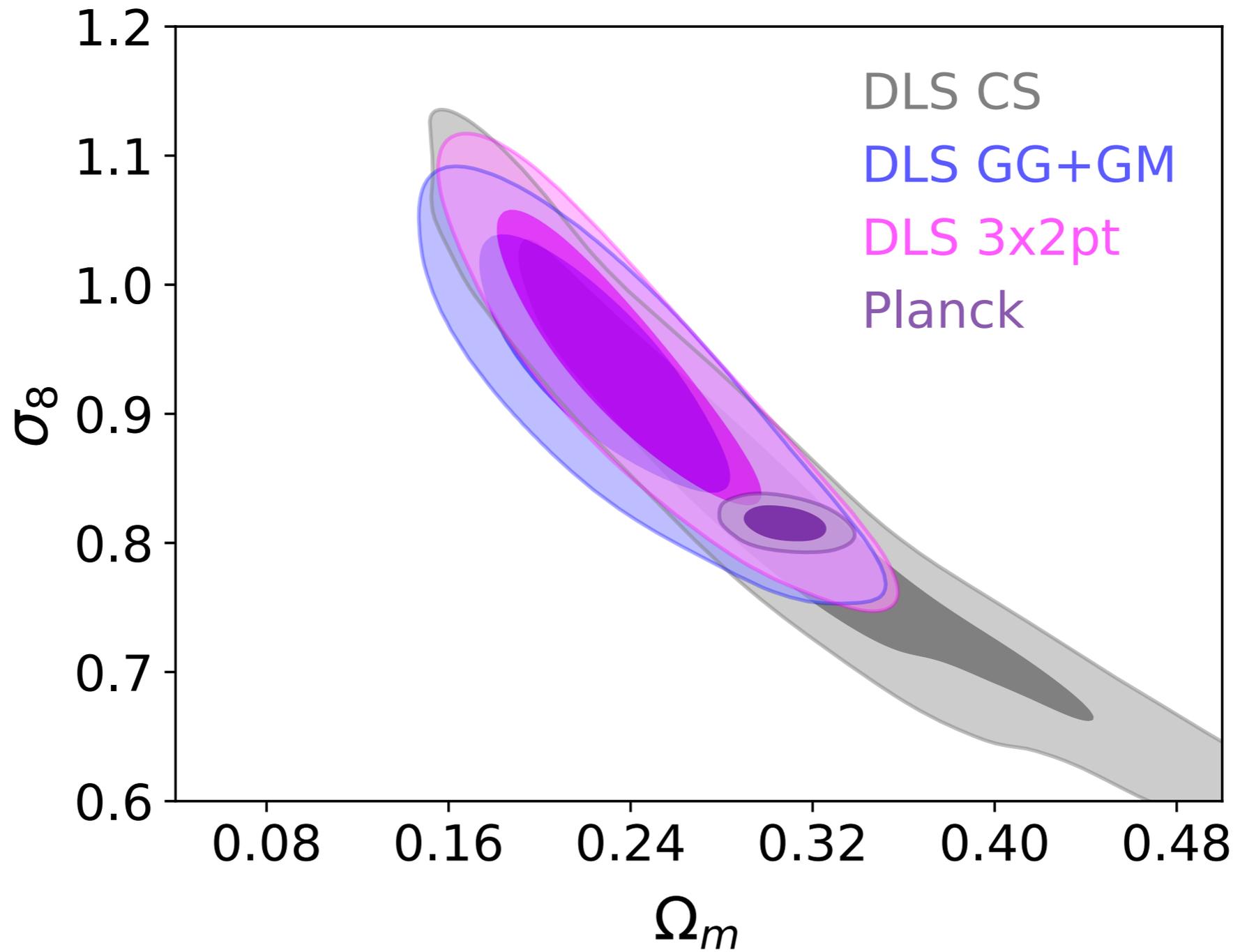
# Parameter estimation

- **Prior ranges**

| parameters  | prior range |      |
|---|-------------|------|
| <b>Nuisance parameters</b>  |             |      |
| photo- $z$ shift in L1, L2, S1, S2 ( $\sigma_{zi}$ ), $\mathcal{N}(0,0.02)$ | -0.04       | 0.04 |
| multiplicative shear error ( $\sigma_{m_\gamma}$ )                          | -0.03       | 0.03 |
| <b>Astrophysical parameters</b>   |             |      |
| galaxy bias in L1 & L2 ( $b_i$ )  | 0.1         | 2.5  |
| baryon amplitude ( $A_{baryon}$ )   | 2.0         | 4.0  |
| intrinsic alignment amplitude ( $A_{IA}$ )                                  | -4.0        | 4.0  |
| <b>Cosmological parameters</b>  |             |      |
| matter density ( $\Omega_m$ )   | 0.06        | 1.0  |
| baryon density ( $\Omega_b$ )   | 0.03        | 0.06 |
| hubble parameter ( $h$ )  | 0.55        | 0.85 |
| power spectrum normalization ( $\sigma_8$ )                                 | 0.1         | 1.5  |
| spectral index ( $n_s$ )  | 0.86        | 1.05 |
| sum of neutrino masses ( $\Sigma_\nu m_\nu / \text{eV}$ )                   | 0.06        | 0.9  |

**Using nested sampling algorithm (multinest), we obtain constraints on parameters.**

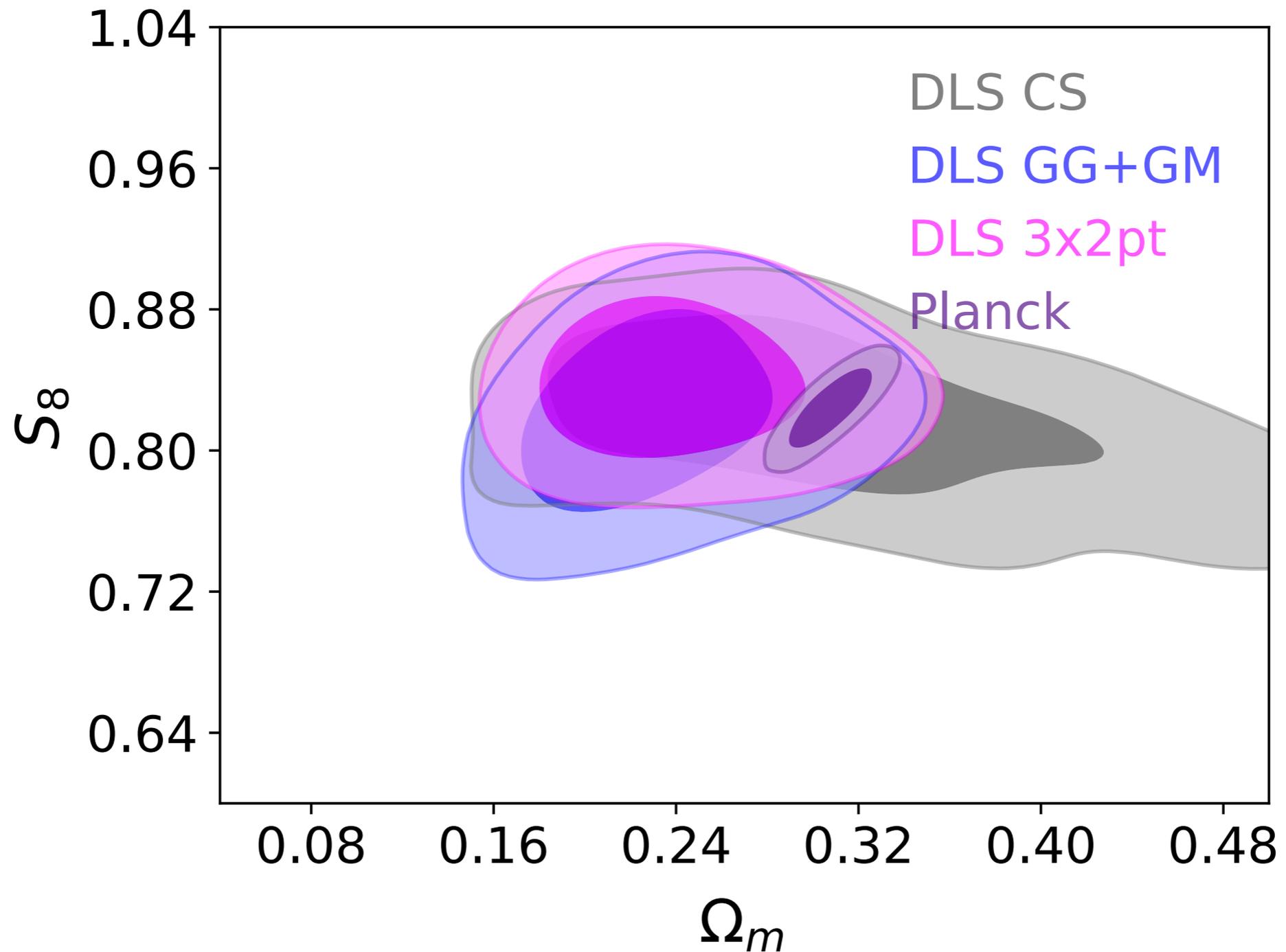
# DLS results



## Results

# DLS constraints

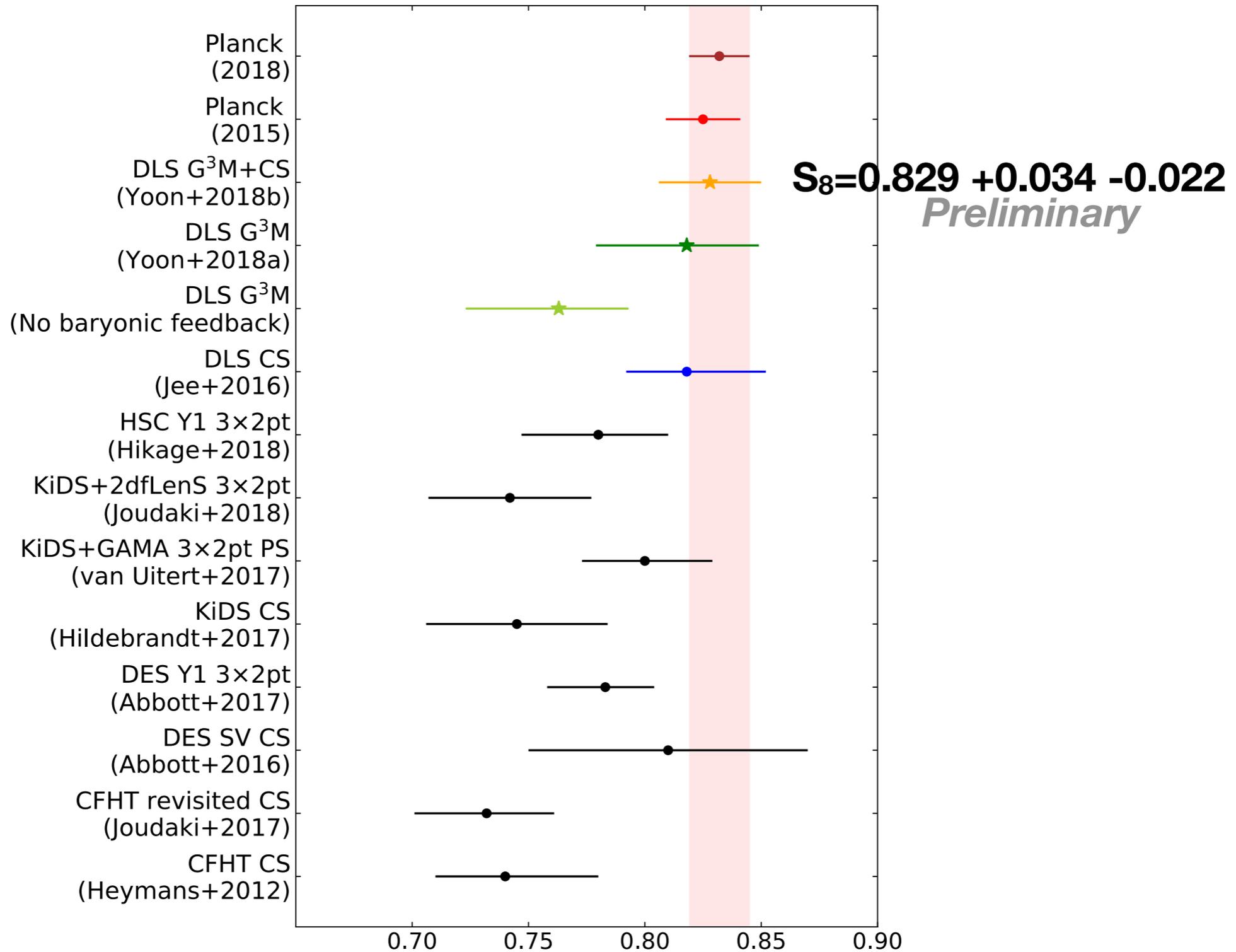
$$S_8 = \Omega_m (\sigma_8/0.3)^{0.45}$$



## Results

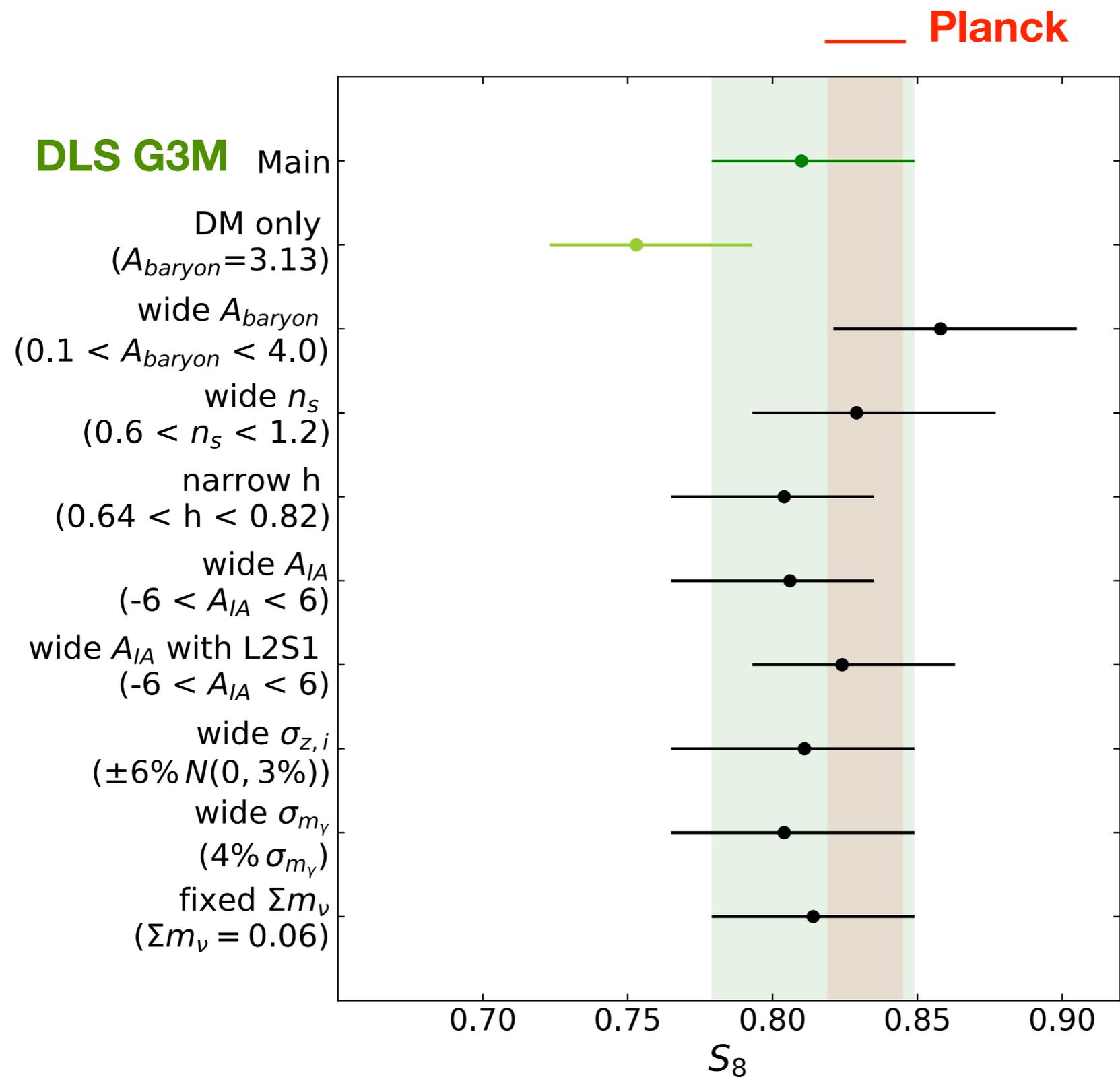
# Comparison with other surveys

$$S_8 = \sigma_8 \sqrt{(\Omega_m/0.3)}$$

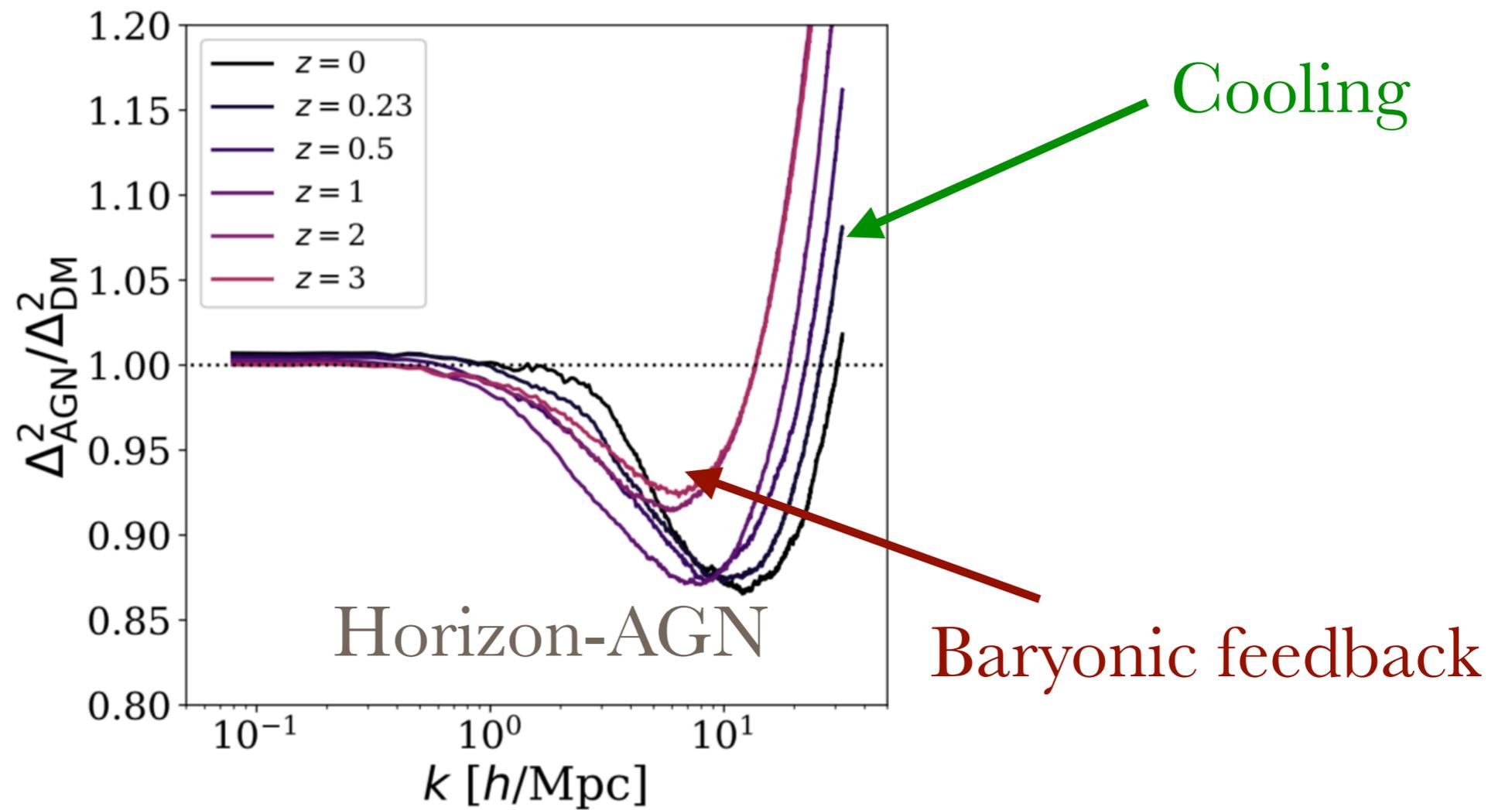


# Results

## Prior tests



# Baryonic effect

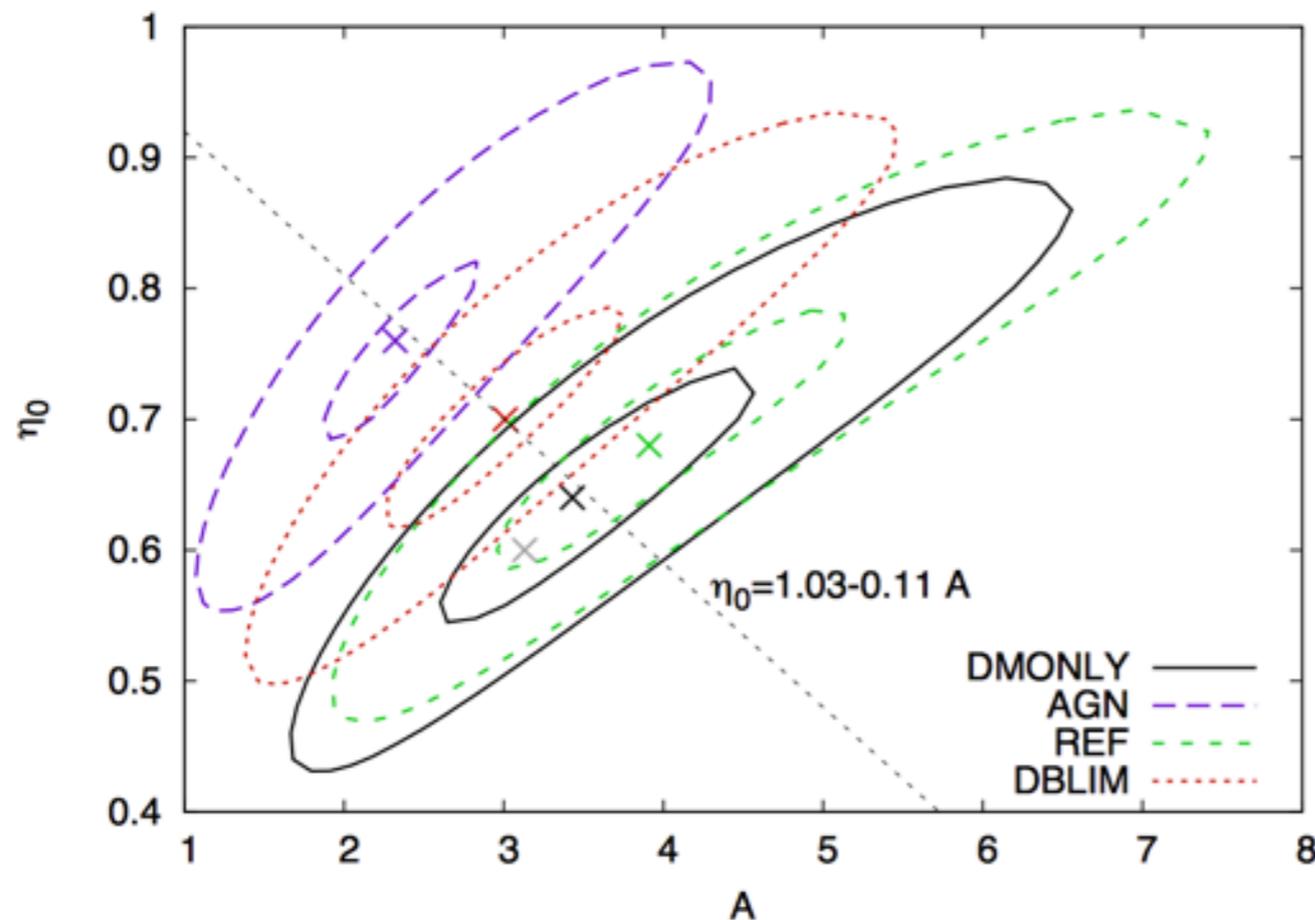


Chisari et al. (2018)

# Baryonic effect

- Single parameterization determined by OWLS (OverWhelmingly Large Simulation):

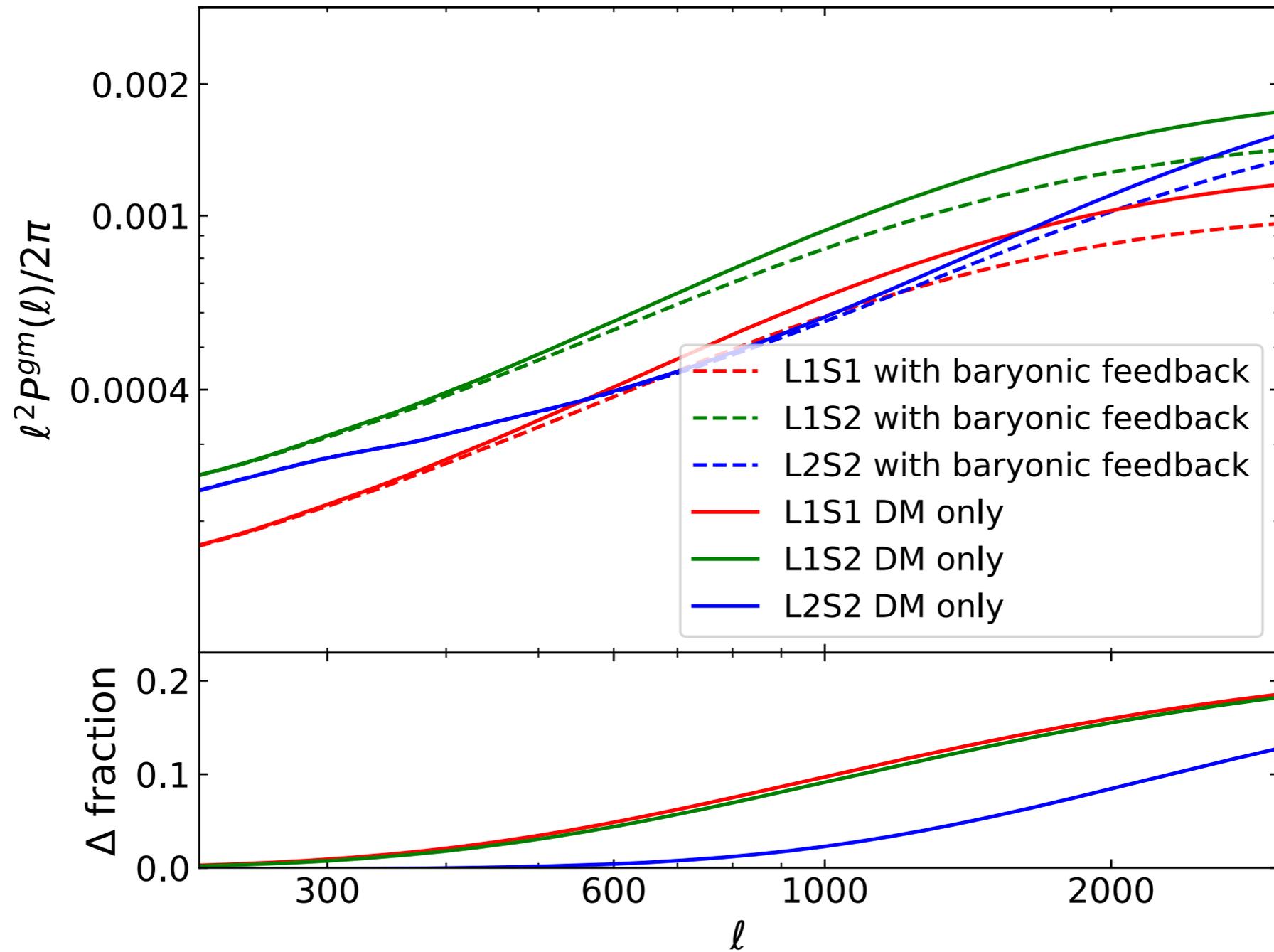
$$\eta_0 = 1.03 - 0.11A .$$



$A_{baryon}$  : Minimum halo concentration

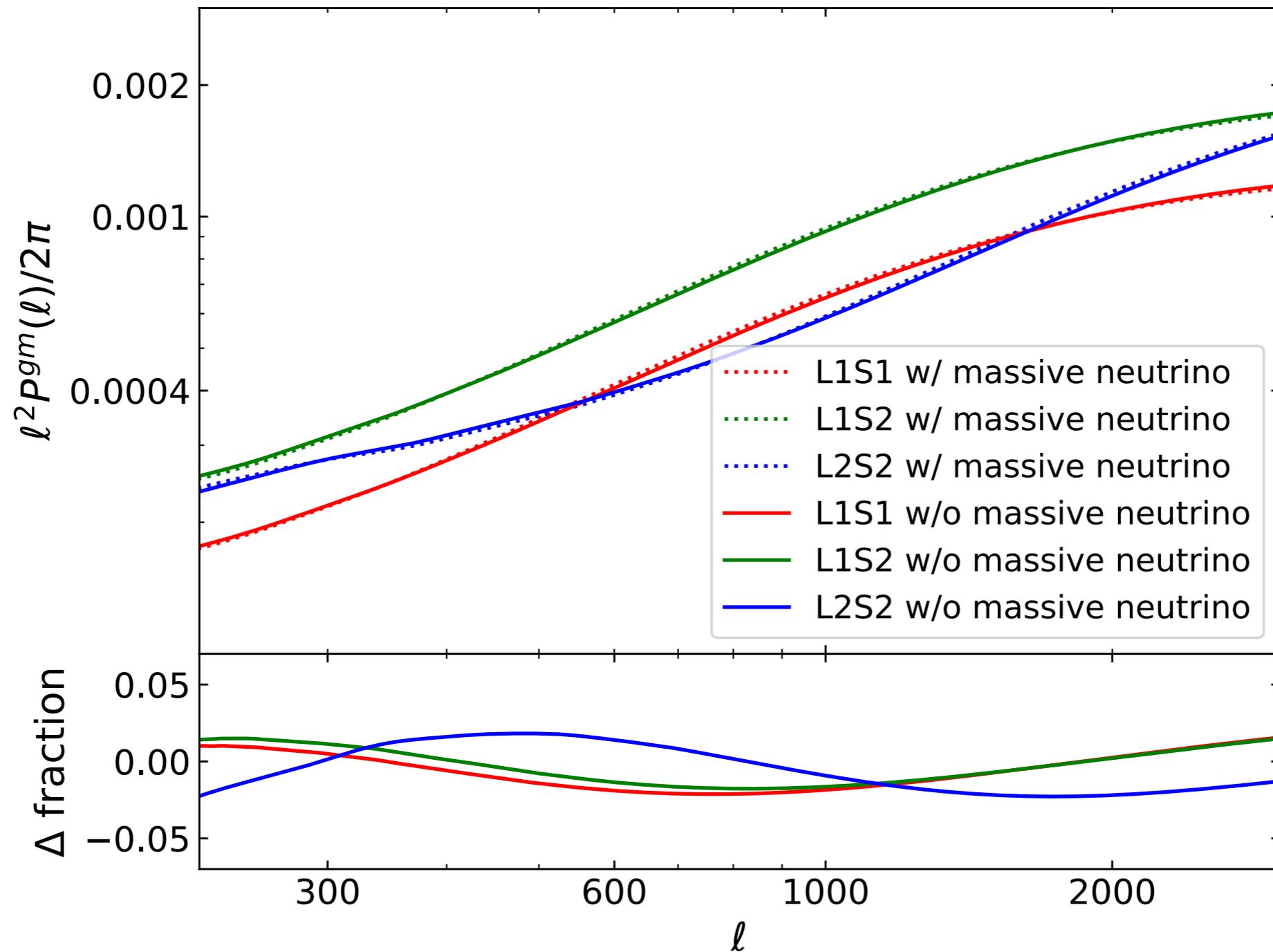
$\eta_0$  : halo bloating parameter

# Baryonic effect



**Difference between DM only and AGN feedback case**

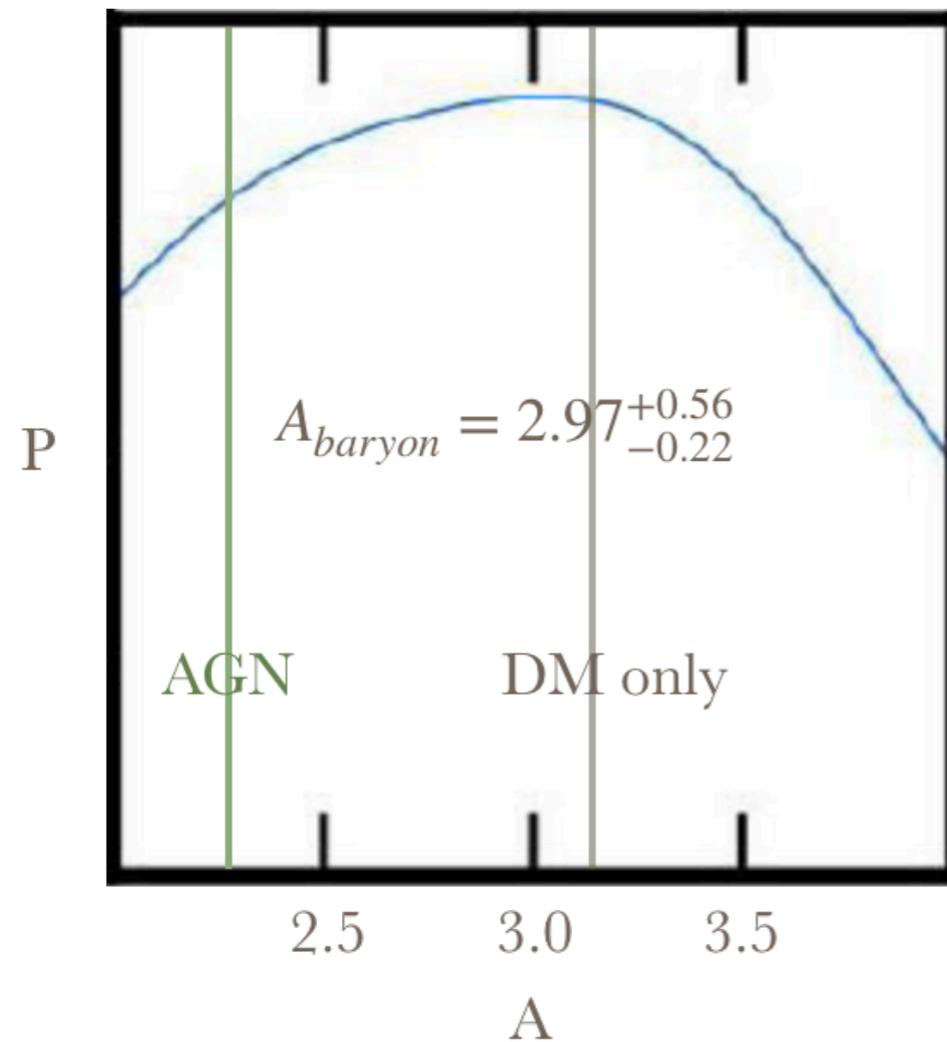
# Neutrino effect



$$\Sigma m_\nu = 0.6 eV$$

## Results

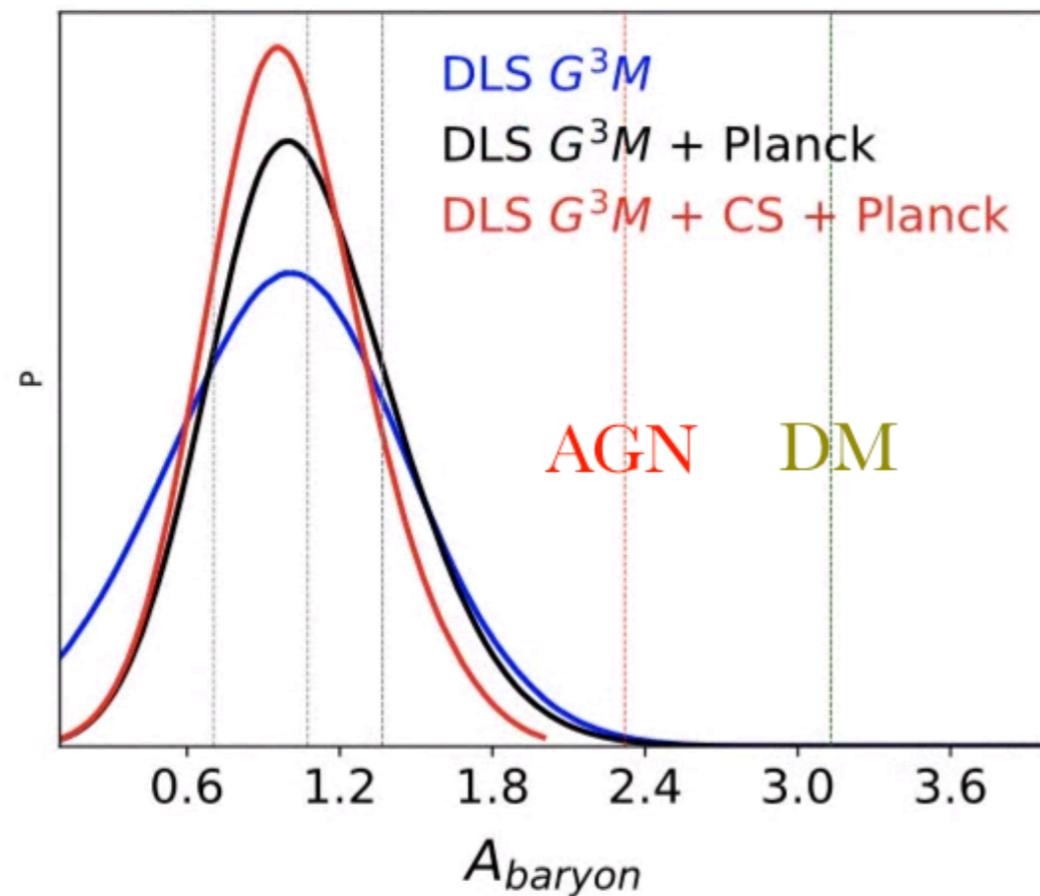
# Previous attempts



| Authors                   | Survey       | Method              | Results          |
|---------------------------|--------------|---------------------|------------------|
| Hildebrandt et al. (2017) | KiDS         | Cosmic Shear        | No constraint    |
| Joudaki et al. (2018)     | KiDS+2dFLenS | Cosmic Shear+GGL+GG | Upper bound      |
| van Uitert et al. (2018)  | KiDS+GAMA    | Cosmic Shear+GGL+GG | Loose constraint |

## Results

# Our constraint on $A_{\text{baryon}}$



For each case, respectively,

$$A_{\text{baryon}} = 1.28^{+0.48}_{-0.45}$$

$$A_{\text{baryon}} = 1.07^{+0.31}_{-0.39}$$

$$A_{\text{baryon}} = 1.00^{+0.31}_{-0.31}$$

- We achieved the **first constraint on baryonic feedback** parameter.
- Different combinations of DLS and Planck data produce consistent results.

# Conclusions

- We constrained  $S_8$  value ( $0.829 +0.034 -0.022$ ) tightly from DLS which does not have any tension with Planck.
- We achieved a reliable constraint on baryonic feedback parameter ( $1.00 \pm 0.31$ ).
- The constrained baryonic parameter implies that the actual baryonic feedback may be stronger than the current OWLS simulations.

**Thank you.**